

# **Evaluation of the SC characteristics of multi-layer thin-film structures of NbN and SiO<sub>2</sub> on pure Nb substrate**

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**R.Ito, T. Nagata (ULVAC inc., chiba) ,**

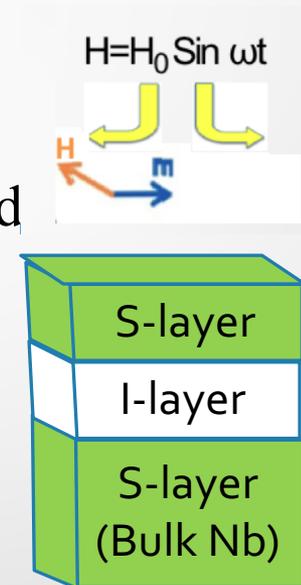
**Y. Iwashita, H. Tongu (ICR, Kyoto U. Uji, Kyoto),**

**C. Antoine (CEA/IRFU, Gif-sur-Yvette),**

**H.Ito (Sokendai, Ibaraki)**

# Introduction

- The maximum accelerating gradient of superconducting cavity is limited by the magnetic field at which vortex avalanche occurs.
  - In this study, we call such magnetic field as “**effective  $H_{c1}$** ”,  $H_{c1,eff}$ .
- Recently proposed theory predicts that  $H_{c1,eff}$  is pushed up by Superconductor-Insulator-Superconductor structure (**S-I-S structure**)[1][2][3][4].
- In order to verify this scheme, we are trying to make some experiments.



[1] A. Gurevich, Appl. Phys. Lett. 88, 012511 (2006).

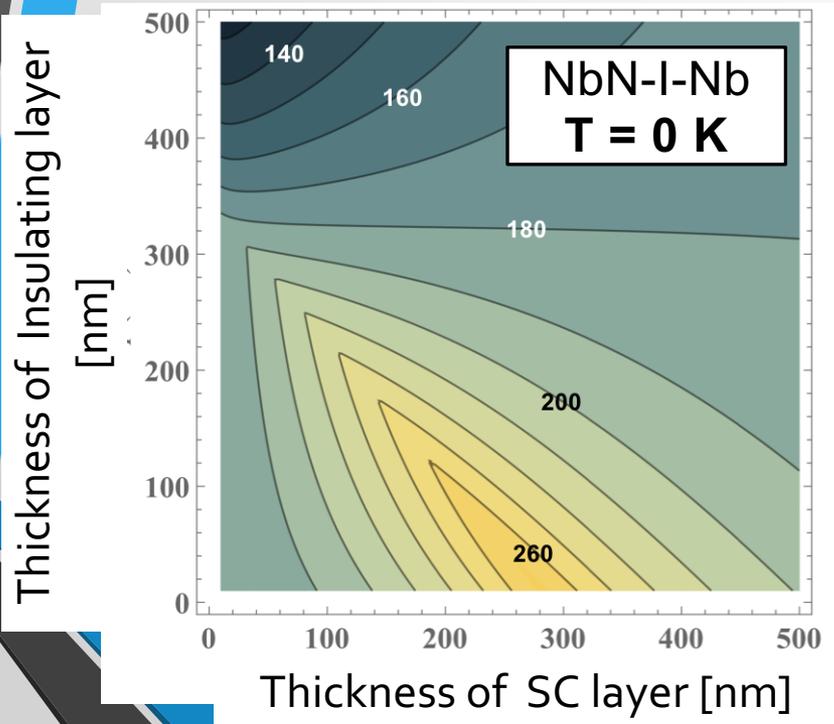
[2] T. Kubo, Y. Iwashita, and T. Saeki, Appl. Phys. Lett. 104, 032603 (2014).

[3] A. Gurevich, AIP Adv. 5, 017112 (2015).

[4] T. Kubo, Supercond. Sci. Technol. 30, 023001 (2017).

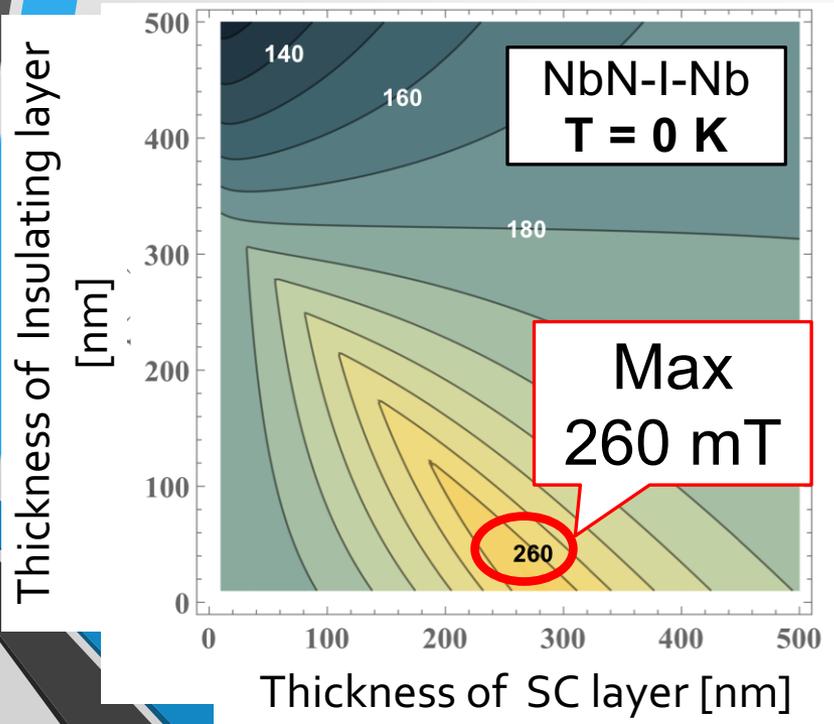
# Motivation of this study

- The proposed theory predicts an optimum set of the parameters to exhibit a good performances
  - We focused on NbN-Insulator-Nb structure.
  - Theoretical calculation of effective  $H_{c1}$  at 0 K is plotted below.
    - Note that  $H_{c1}$  of pure bulk Nb is assumed to be 180 mT at 0 K in this calculation.



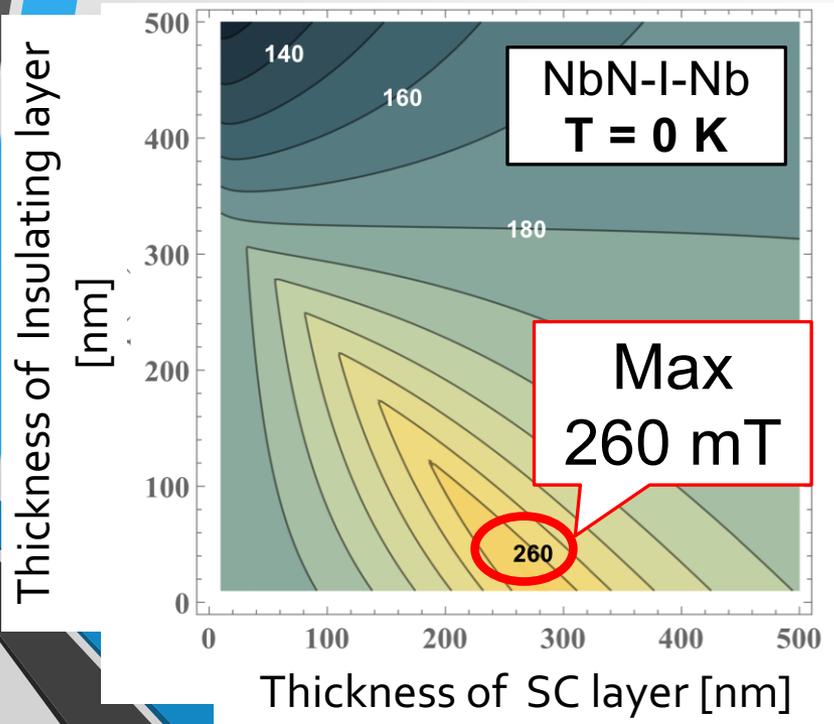
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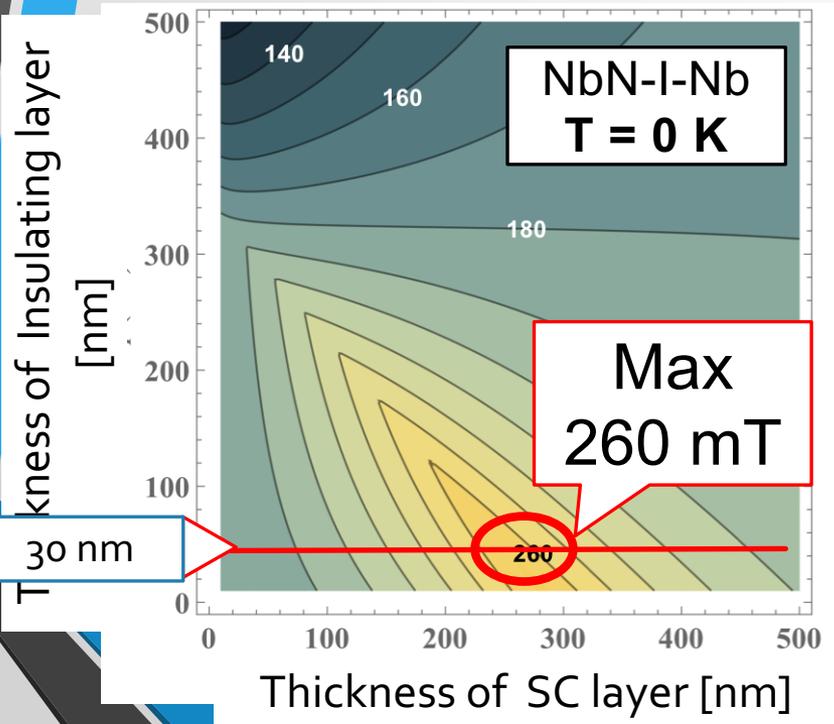
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- In order to evaluate this scheme, we scanned parameter regions (red line).
  - NbN thickness: 50 - 800 nm
  - SiO<sub>2</sub> thickness is fixed to 30 nm.
- In this study, in order to determine effective  $H_{c1}$ , the third harmonic voltage method is used (explained in the following).

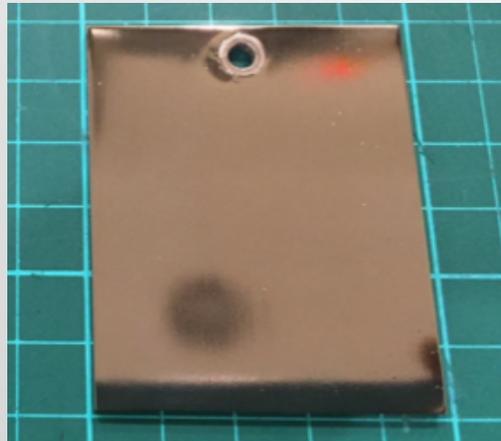
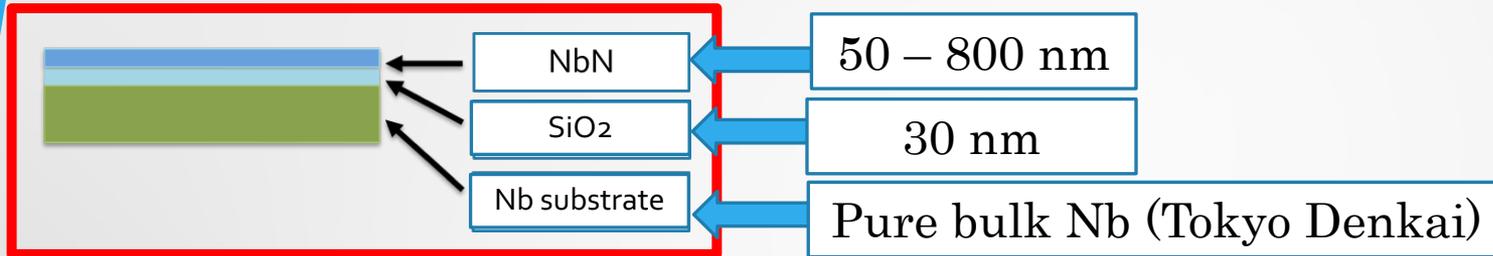
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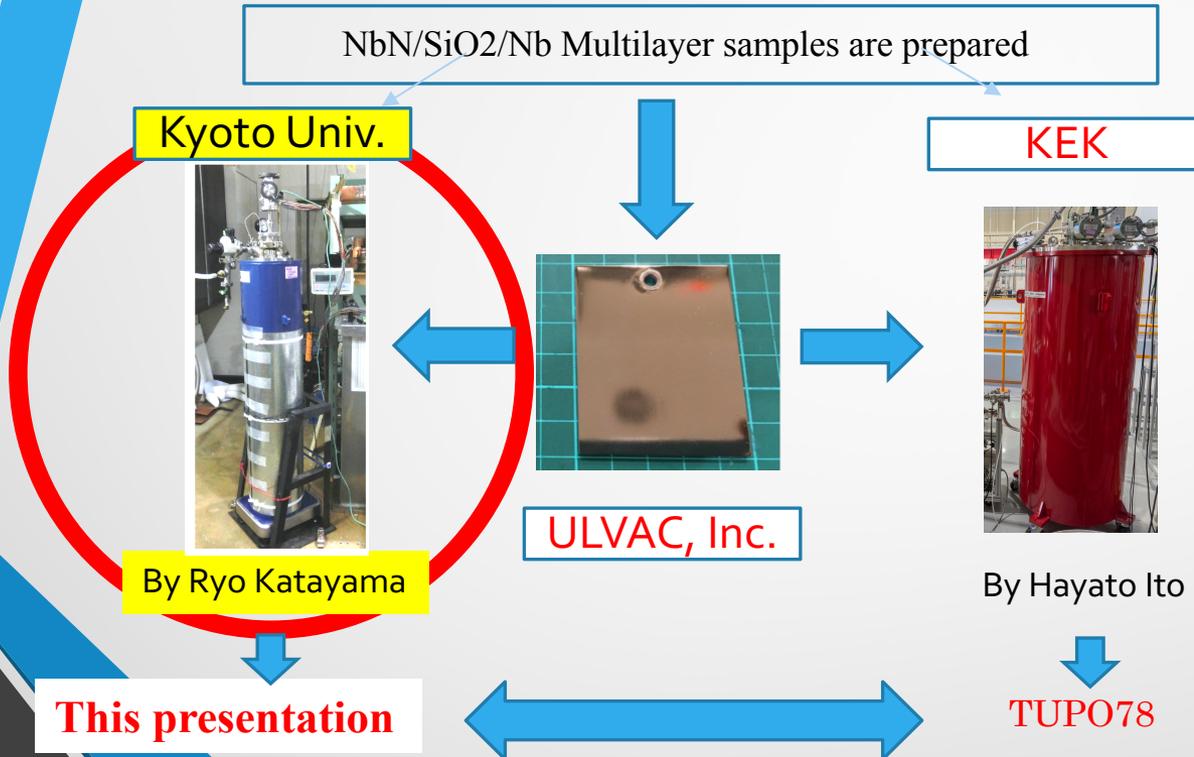
# S-I-S' sample used in this study



- NbN/SiO<sub>2</sub> thin-film with various thicknesses is formed on pure bulk Nb [5].
- This sample is fabricated by ULVAC, Inc. with **DC magnetron sputtering**.

[5] R. Ito, T. Nagata, et al., LINAC 2018 Proceedings, TUPO050

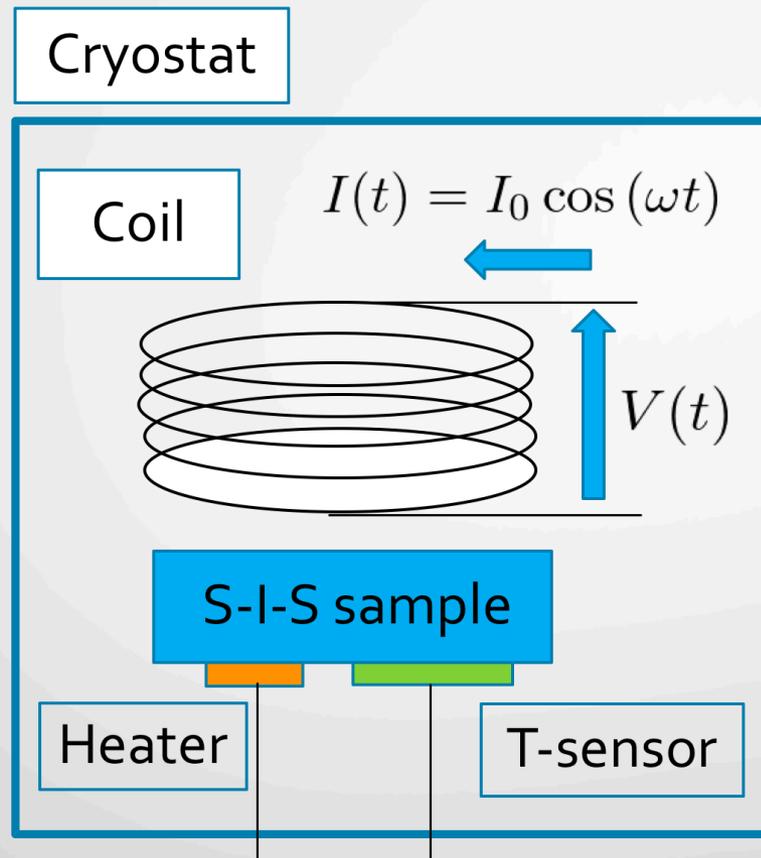
# Independent measurement and analysis



**We obtained consistent results at two independent setup!**

In this presentation, I will report on the measurement and analysis results performed at **Kyoto University**.

# Setup of the third harmonic measurement

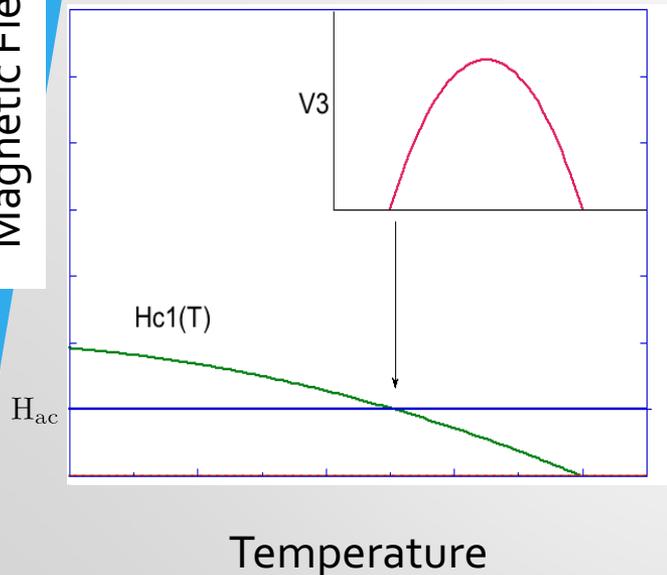


- **S-I-S sample** is installed in **Cryostat**.
- **Liquid Helium** keep the temperature of S-I-S sample at the cryogenic temperature.
- **Coil** set just above **S-I-S sample**, which can apply an AC magnetic field  $H_{ac} \cos(\omega t)$ .
- Temperature of S-I-S sample is monitored by **Temperature sensor**, and gradually increased by **Heater**.
- Coil voltage and current are detected and digitized by **V-A meters** installed outside.

**We can control the temperature and the magnetic field**

# Measurement method

Magnetic Field

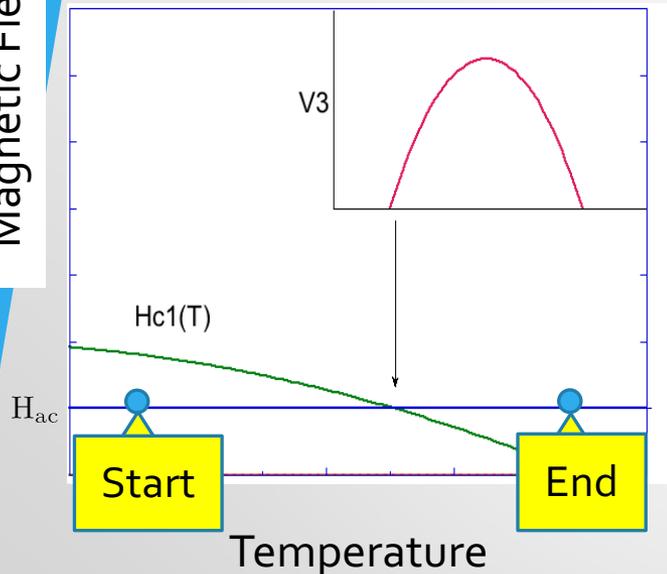


- $H_{c1}$  satisfies the following empirical curve:
  - $H_{c1}(T) = H_{c1}(0) \times (1 - (T/T_c)^2)$
  - $T_c$  is the critical temperature
- **Third harmonic measurement:**
  - AC magnetic field  $H_{ac} \cos(\omega t)$  is applied to a S-I-S sample **by the coil**.
  - In general, **the third harmonic voltage induced in the coil**,  $V_{3rd}$ , rises at the moment  $H_{ac} > H_{c1}(T)$ .
    - By changing the temperature and detecting the rise of  $V_{3rd}$  signal, we can determine  $H_{c1}$  at a certain temperature.
  - By repeating measurements for different  $H_{ac}$ , we can clarify the temperature dependence of  $H_{c1}$ .

These data points are fitted with the above **empirical curve**.

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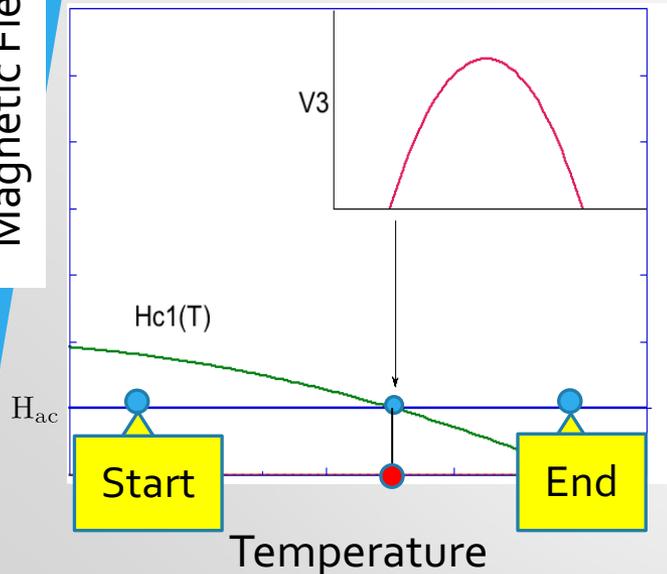


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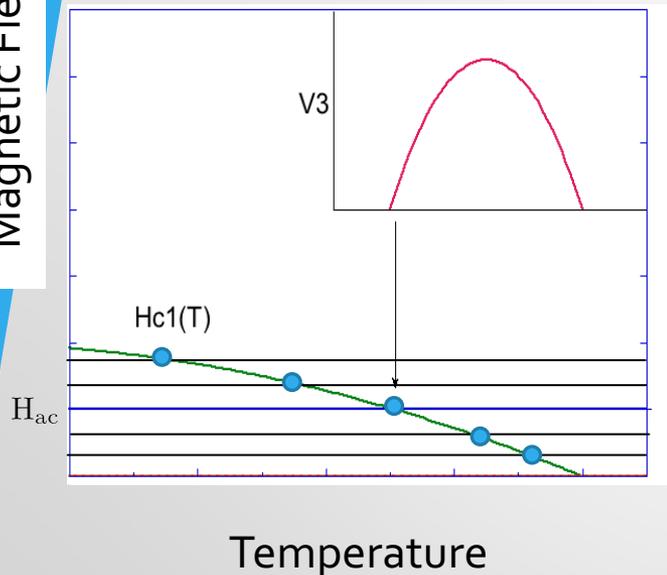


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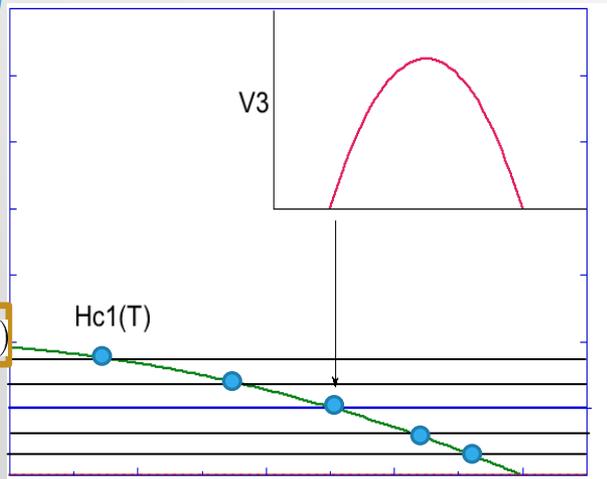
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# Measurement method

Magnetic Field

$H_{c1}(0)$

$H_{ac}$

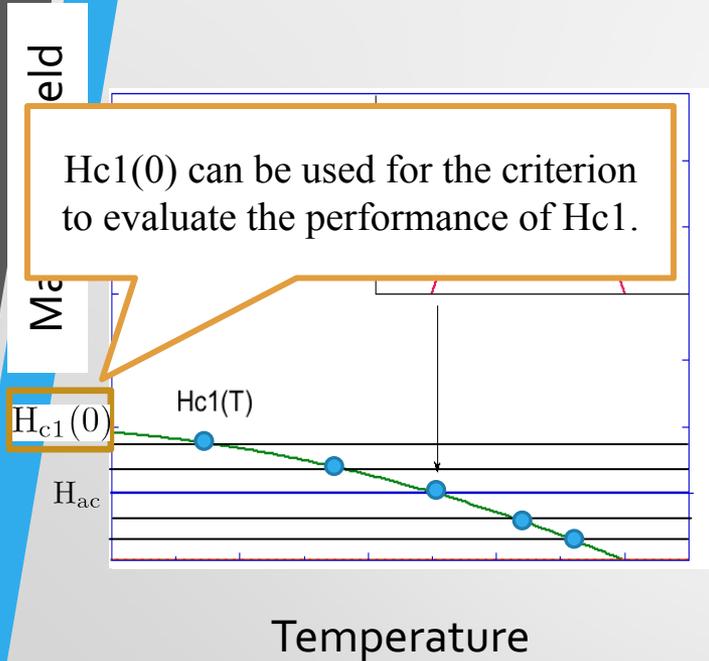


Temperature

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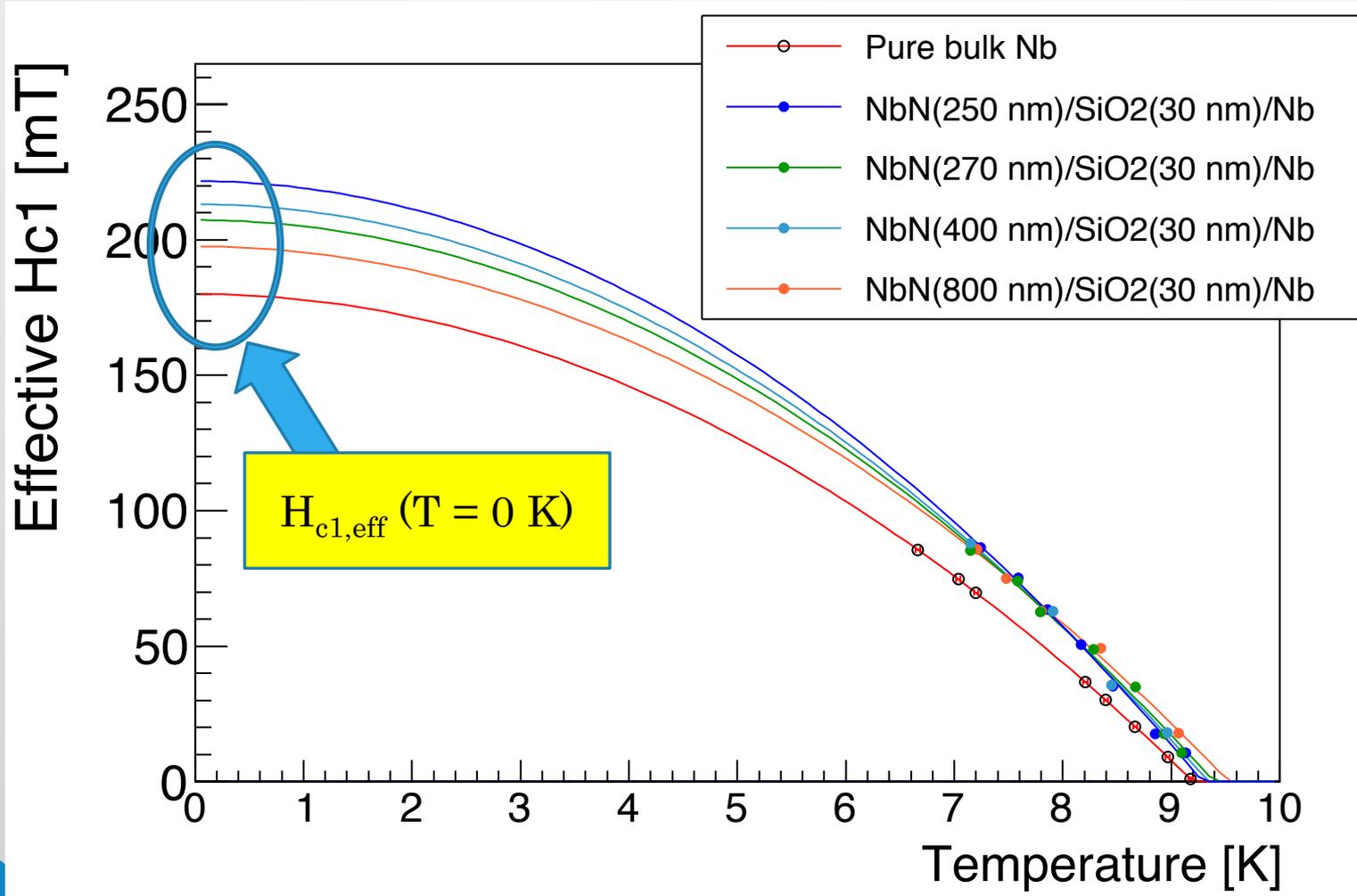
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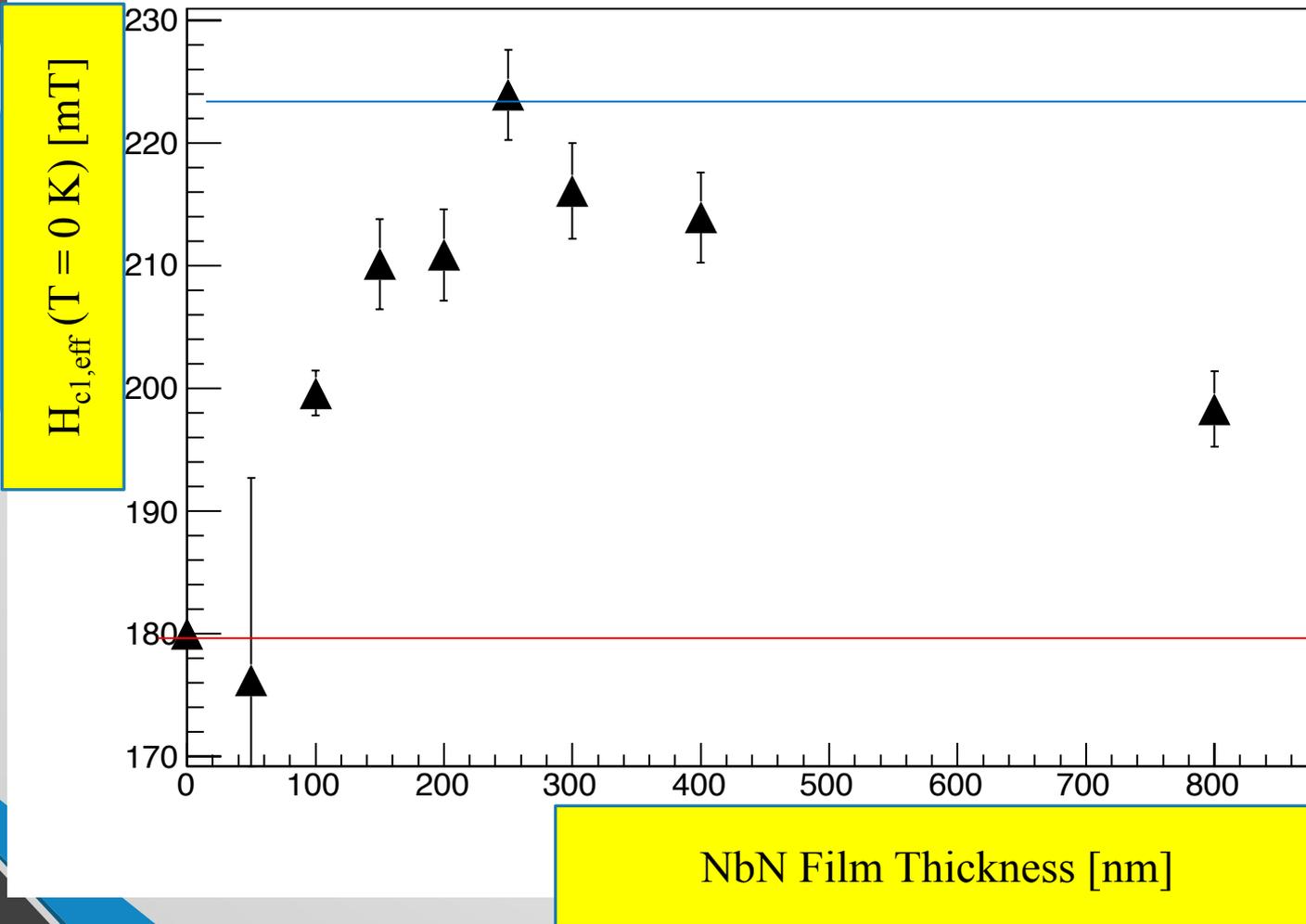
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# The measurement result of the effective $H_{c1}$



# Analysis Result of $H_{c1}$

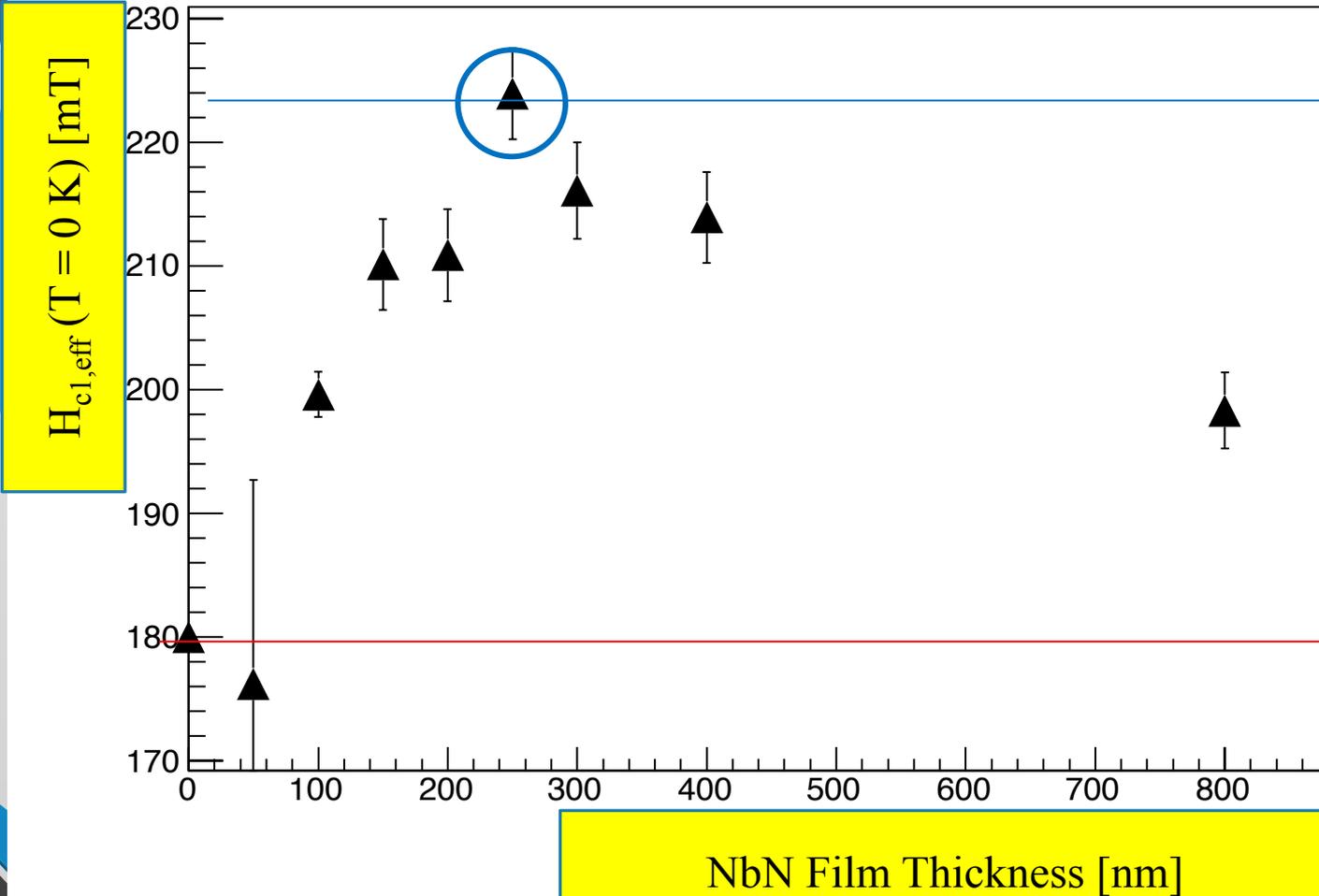
*Preliminary*



$H_{c1}$  of pure  
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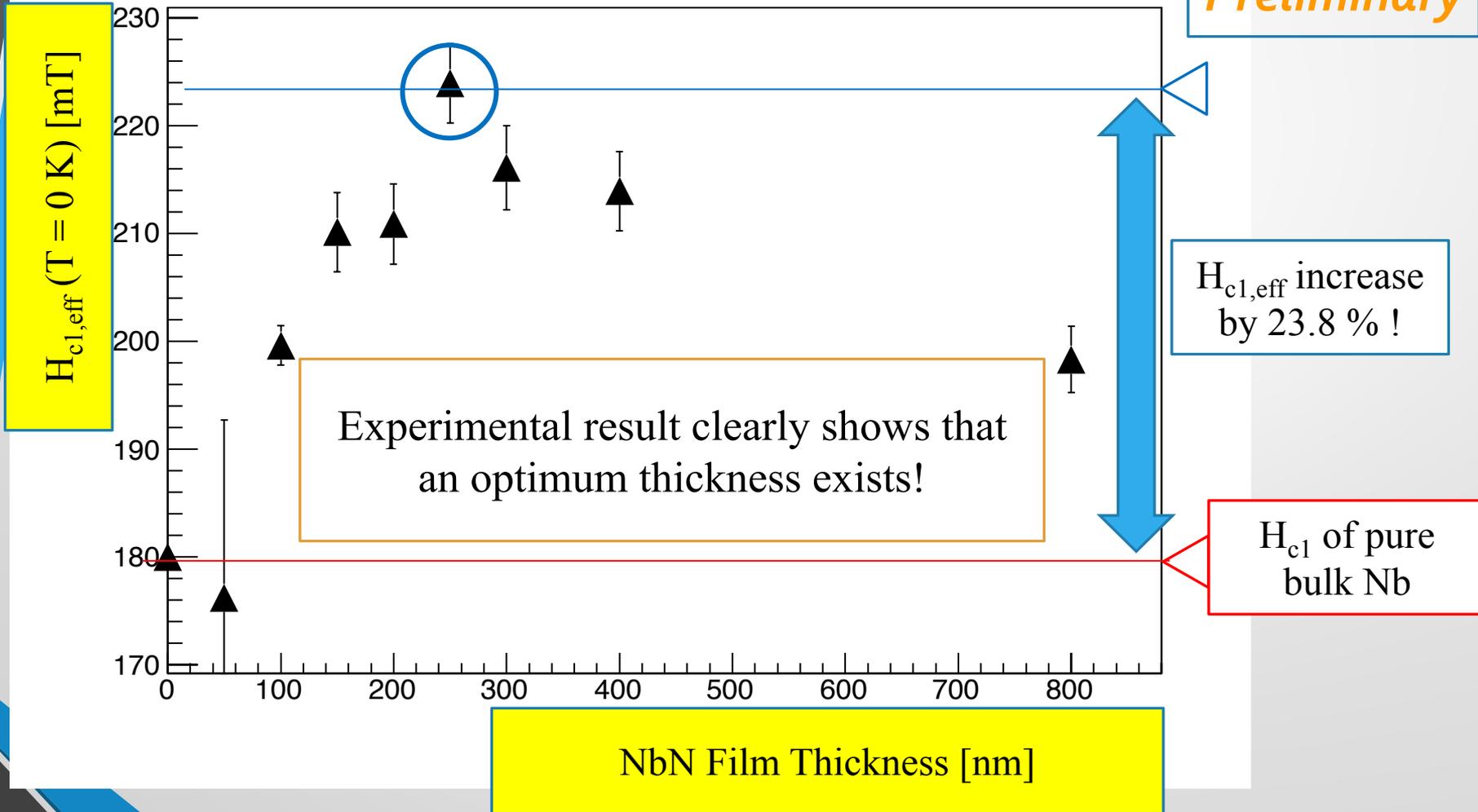
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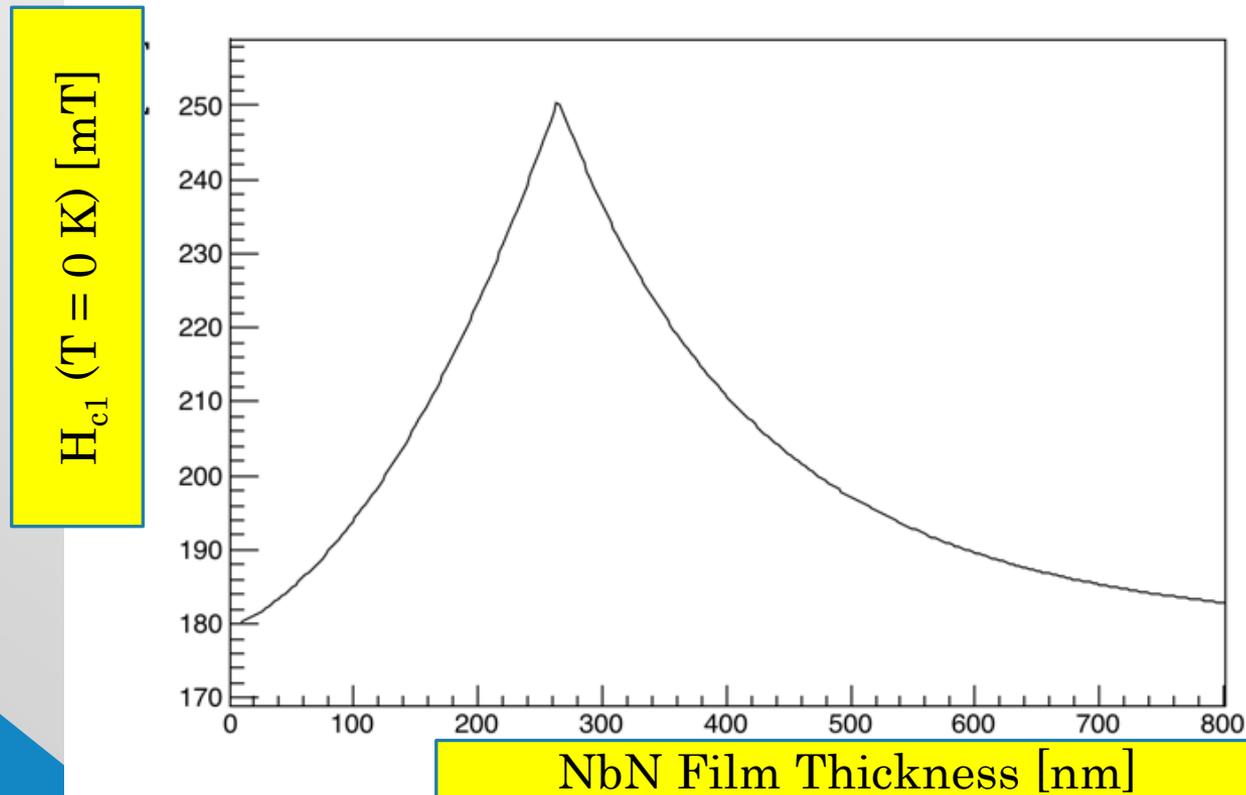
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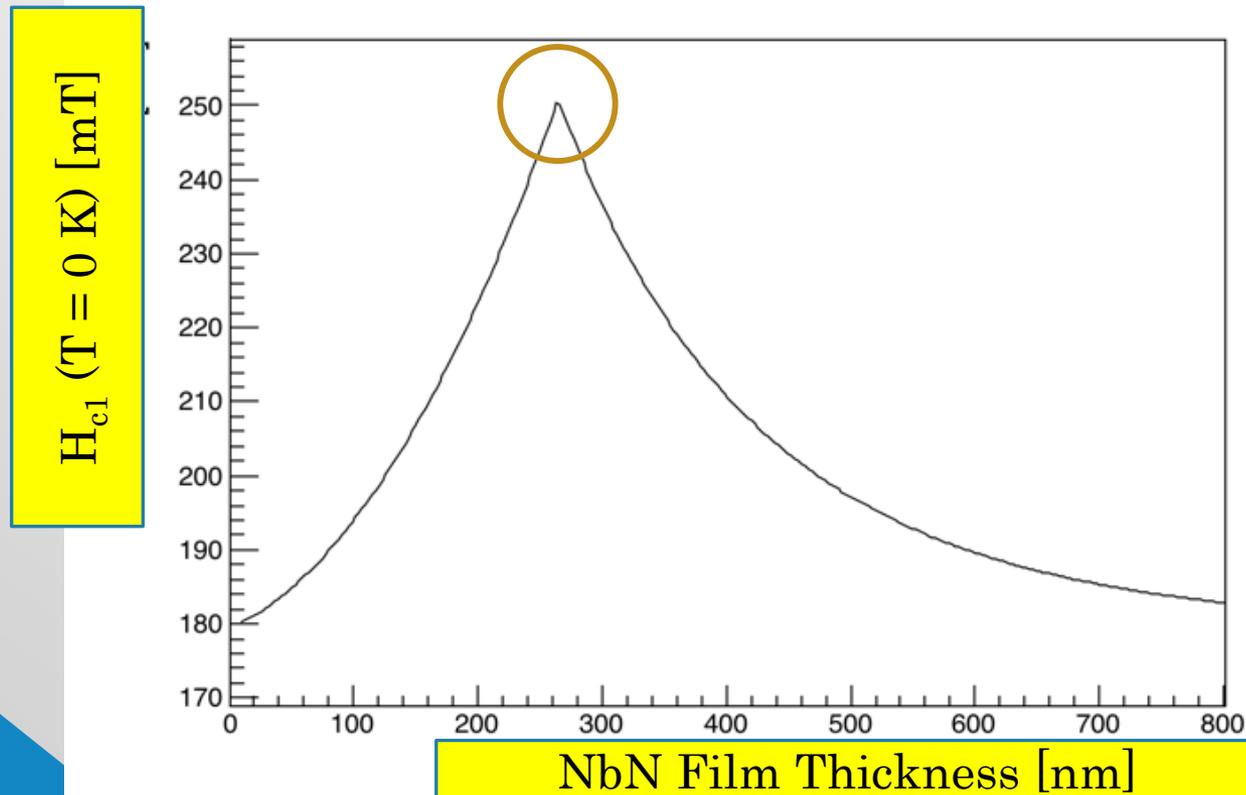
# Theory

- Theoretical calculation ( $H_{c1,eff}$  vs NbN thickness) is plotted below:
  - Optimum thickness exists, which is the same as experiment.
  - London penetration depth  $\lambda$  of NbN film is calculated by the electrical resistivity  $\rho$  and the critical temperature  $T_c$ .
  - $H_c$  of NbN is taken from literature (C Geibel et.al, (1985) J. Phys. F: Met. Phys. 15 405).



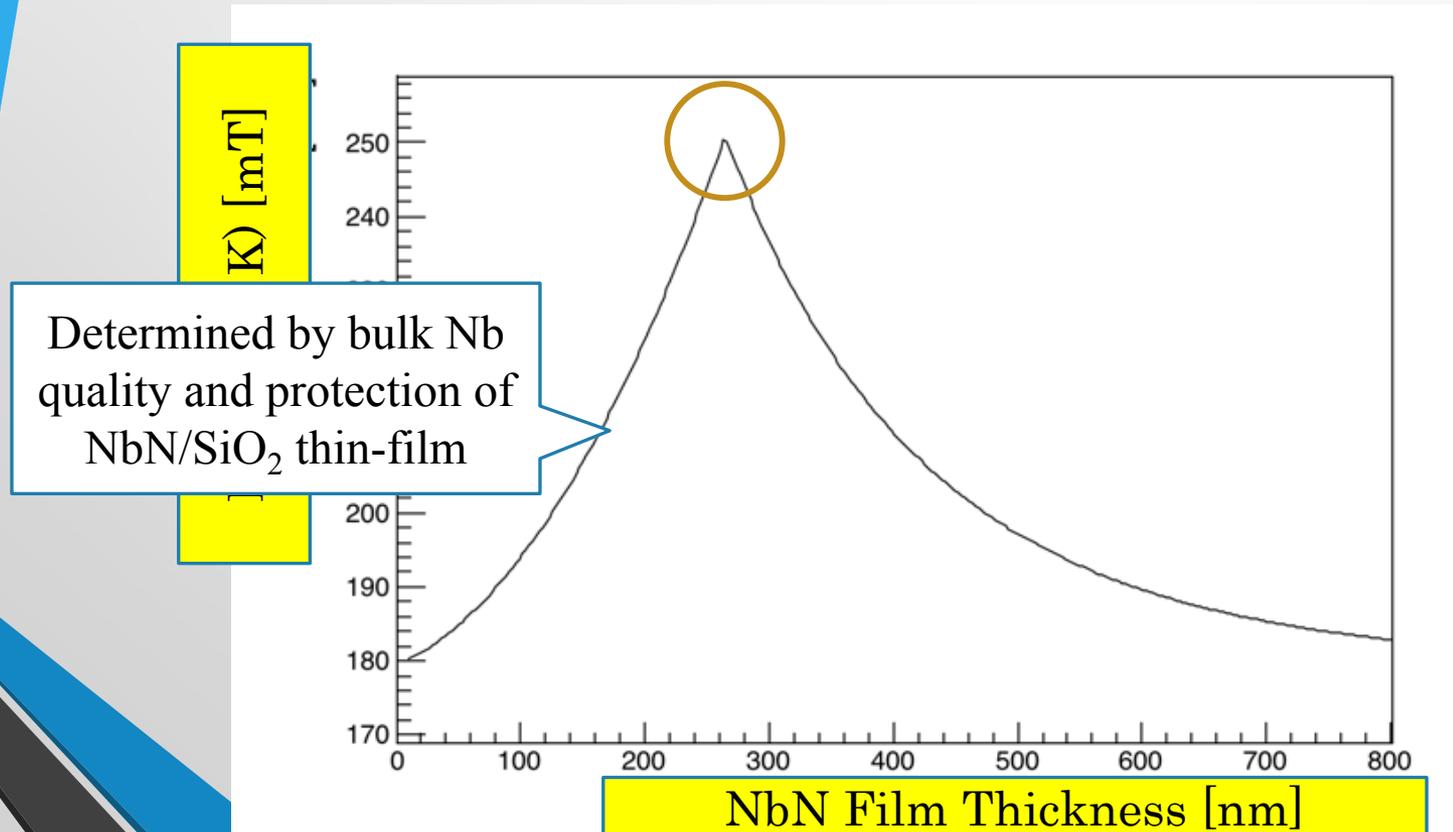
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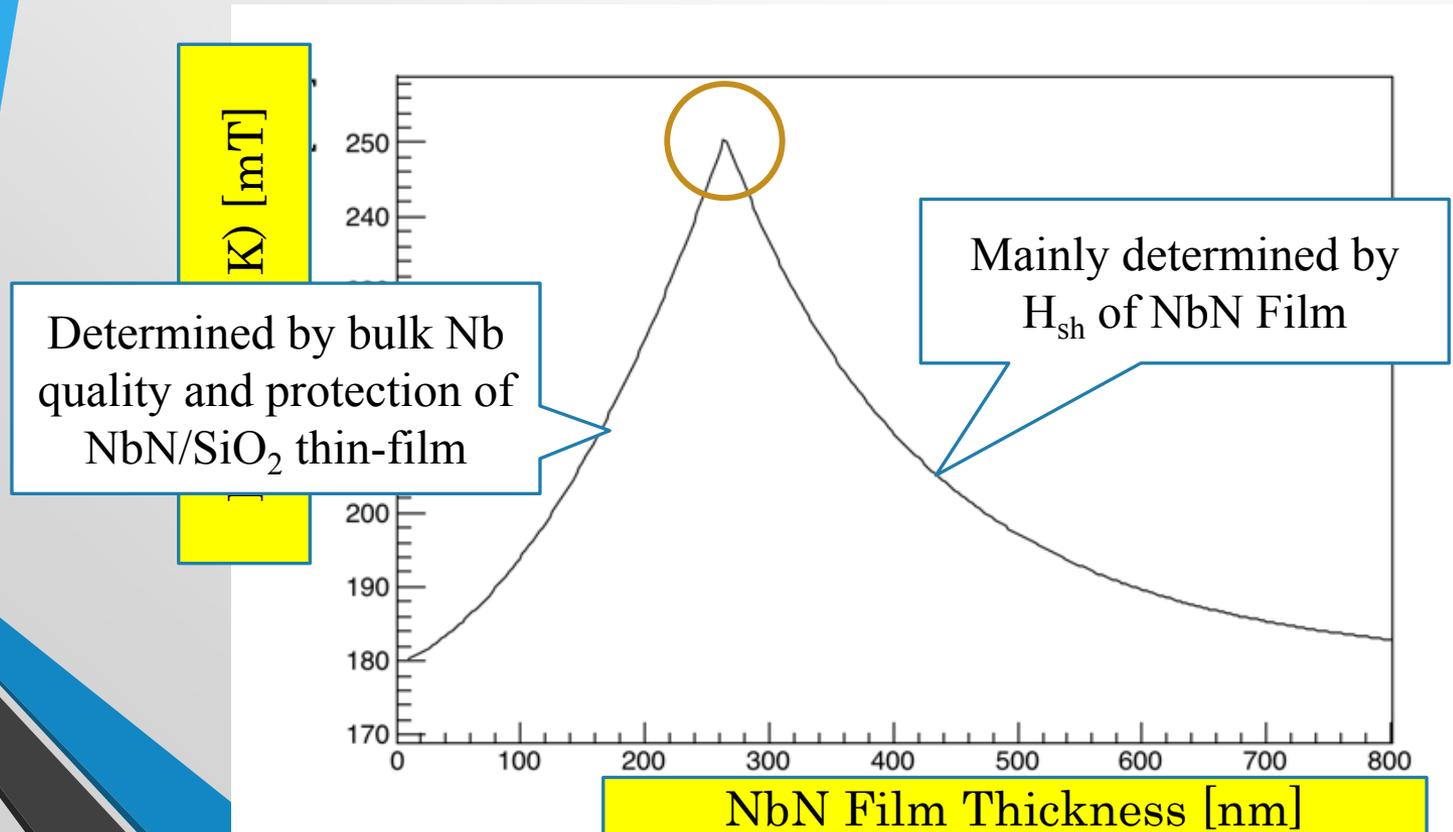
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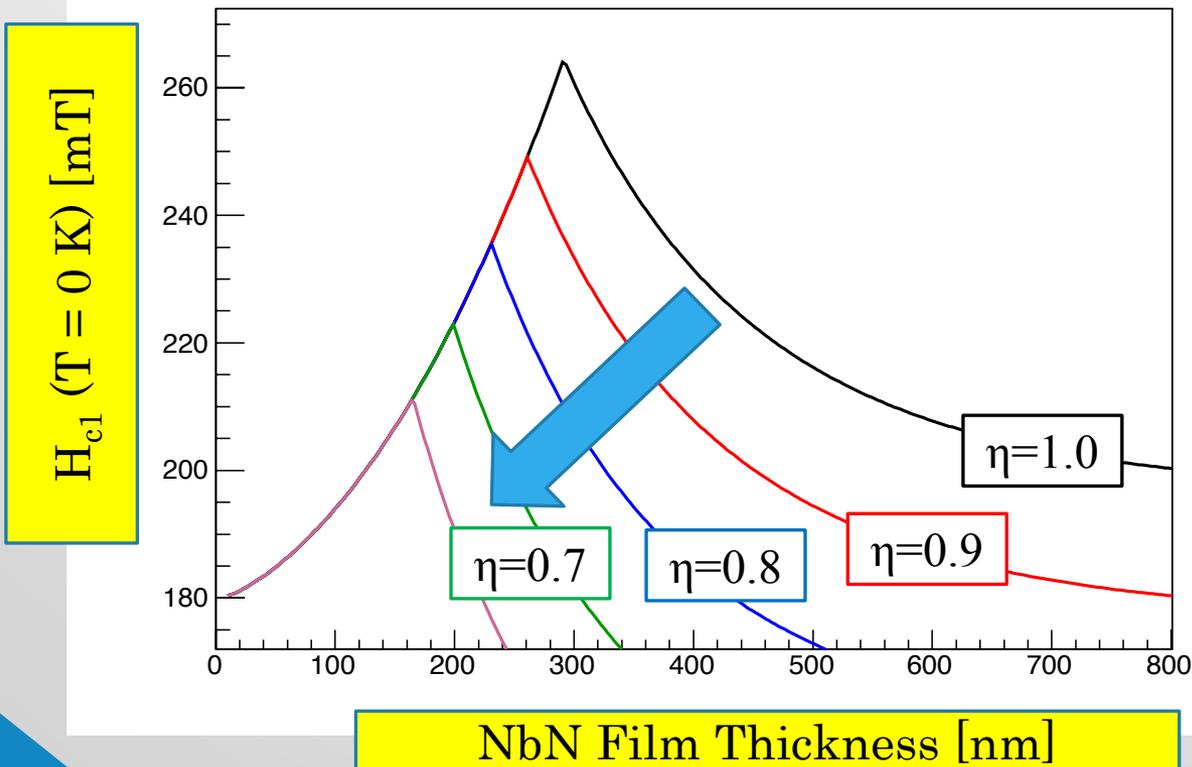
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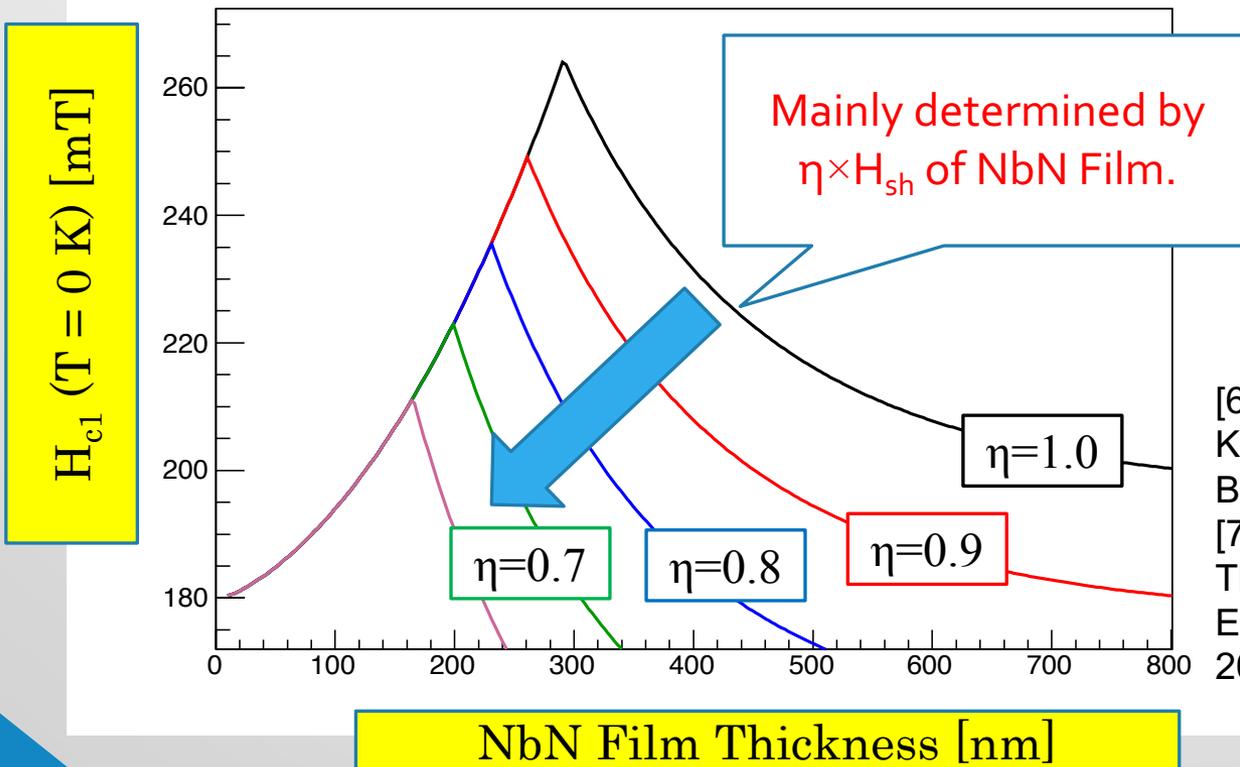
- The performance of NbN film deteriorates due to the effect of the imperfect surfaces such as **surface defects and roughness and so on**.
- This effect is included as the parameter  $\eta$  [6][7].
  - $\eta=1$  (Black line) is the ideal case, while  $\eta < 1$  (other colors) is not so.



[6] A. Gurevich and T. Kubo, Physical Review B 96, 184515 (2017)  
[7] T. Kubo, Progress of Theoretical and Experimental Physics 2015, 063G01 (2015)

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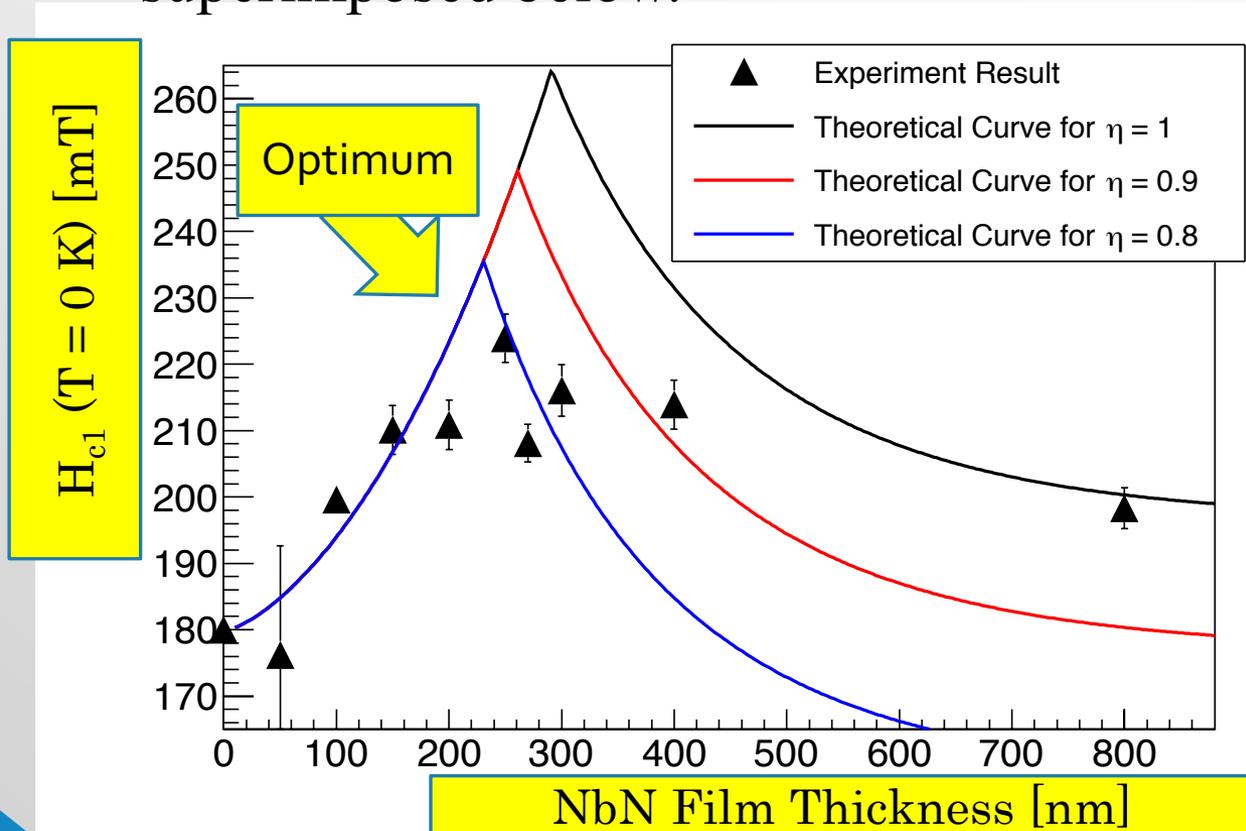
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# Comparison of data and theory

- Experimental result and theoretical curve are superimposed below.



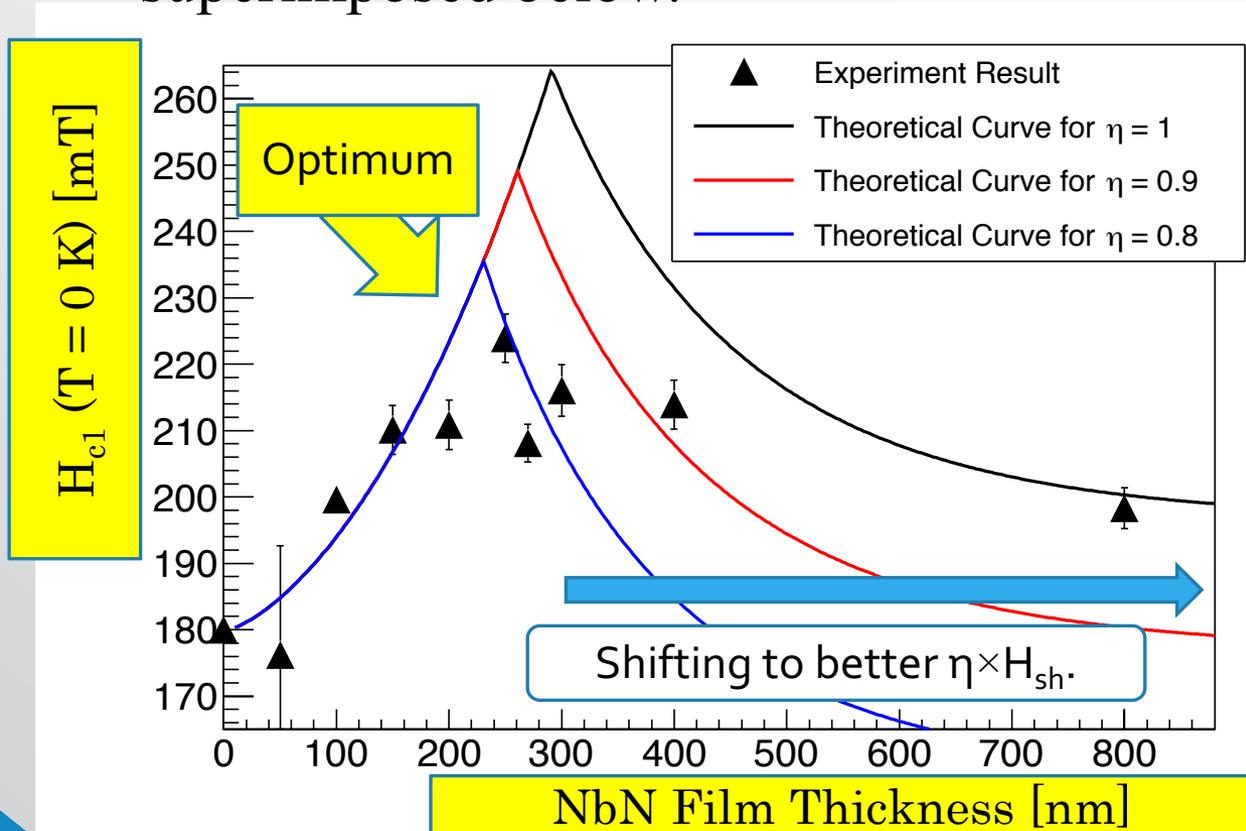
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Please refer  
TUP078

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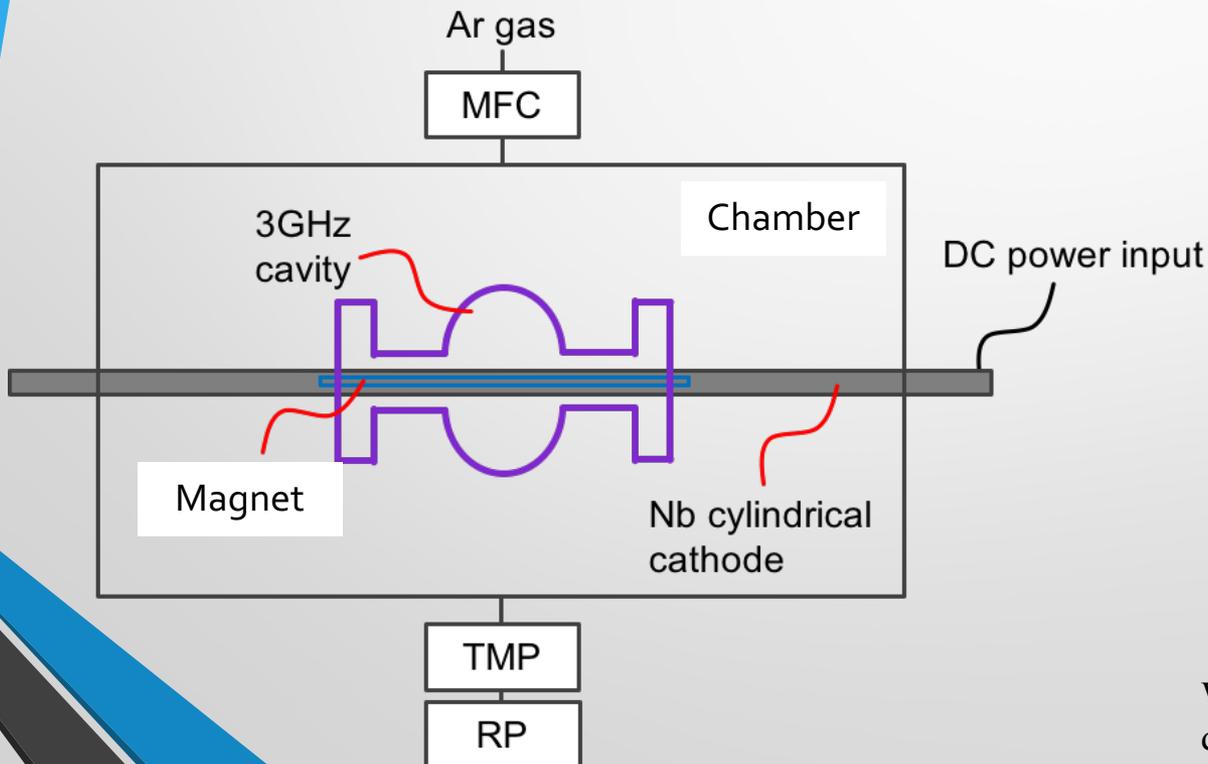
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Please refer  
TUPO78

# Future Prospect

- An apparatus that can deposit Nb or NbN thin-film on Cu or Nb cavity is being prepared in collaboration with ULVAC, Inc..



We have already successfully deposited Nb thin-film on the inner wall of Cu tube ( $\Phi 35\text{mm}$ ).

# Conclusion

- We measured the effective  $H_{c1}$  of NbN/SiO<sub>2</sub>/Nb multi-layer sample by using the third harmonic measurement at Kyoto University.
- NbN thicknesses is 50, 100, 150, 200, 250, 300, 400, 800 nm and SiO<sub>2</sub> thickness is 30 nm, being created on pure bulk Nb.
- **An optimum thickness exists** for multilayer thin-film structure to achieve the highest performance.
- Optimum sample showed **23.8 % increase of the effective  $H_{c1}$  at 0 K (180 mT → 223 mT)** compared to that of pure bulk Nb.
- The experimental result is qualitatively consistent with the prediction of theory.
- The theory will guide the production of optimum thin-film structure.
- This shows the possibility of getting high-performance SRF cavities with thin-film technology in mass-production consistently.