

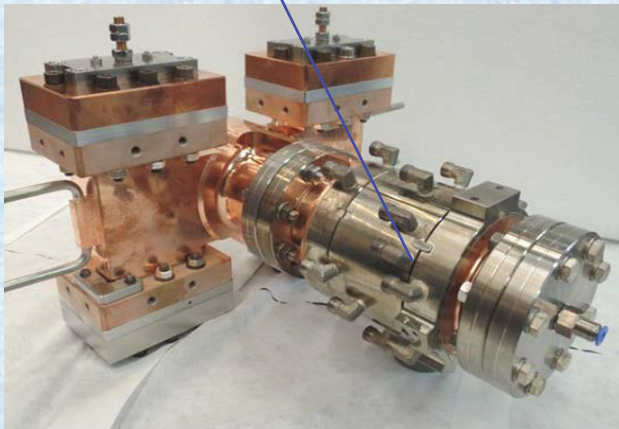
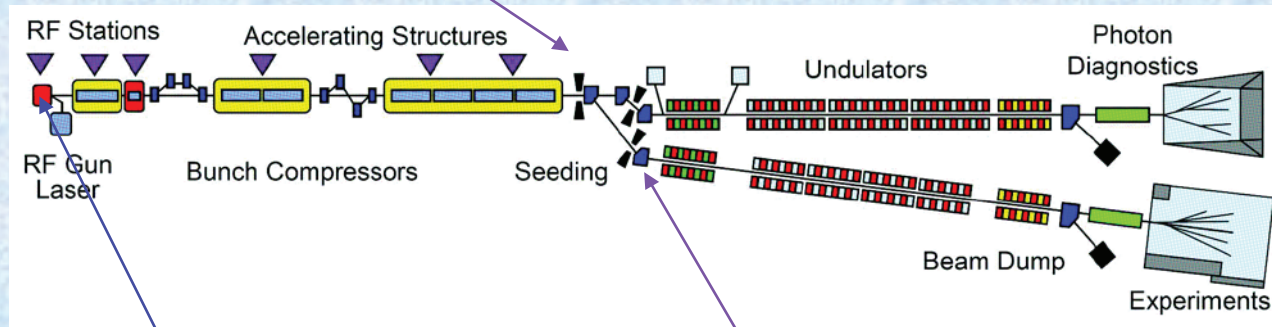


Evaluations of Parameters Stability for S-Band RF Gun Cavity Due to Effects of Pulsed RF Heating

V. Paramonov¹, B. Militsyn², A. Skassyrskaya¹

¹-INR of the RAS, Russia, ²-STFC, Daresbury, UK

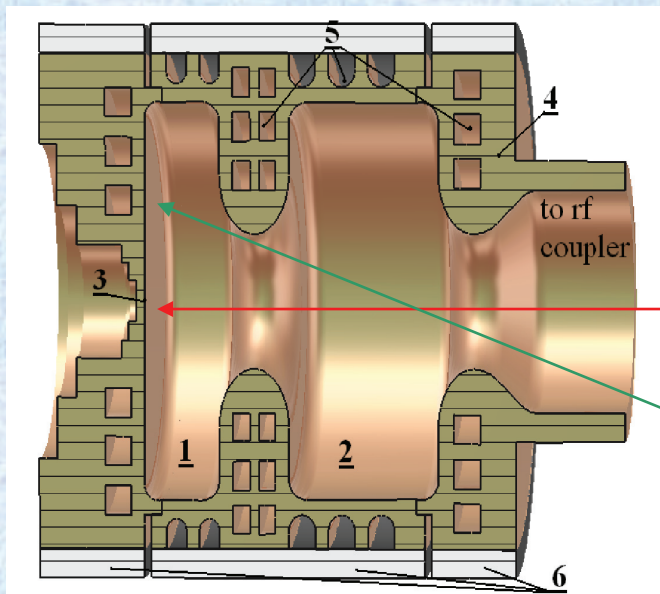
The RF gun cavities with photo cathode now are commonly used for generation of short and bright electron in modern Free Electron Laser (FEL) facilities.



S band HRRG RF gun cavity for the CLARA project.

One of the critical requirements to the linear accelerator based FEL facilities with laser seeding is high arrival time stability of the electron bunches.

Essential impact on the arrival time gives the amplitude and phase of the pulsed RF field in the gun cavity. Some times is requested stability: $A \sim 0.01\%$, $\phi \sim 0.01$ degree.(?)



Simplified 3D model of the gun cavity. 1 - half cathode cell, 2 - full cell, 3 - position of photo cathode, 4 - cavity copper body, 5 - cooling channels, 6 - stainless steel jacket

To provide electron bunches with small transverse emittance the gun operate in pulsed mode with:

$$E_c \sim 120 \frac{MV}{m}$$

$$H_s \sim 250 \frac{kA}{m} \quad P_{smax} \sim 4.5 \cdot 10^8 \frac{W}{m^2}$$

Effects of the pulsed RF heating take place during RF pulse $\tau \sim (3 - 6) \mu s$, then the temperature at some parts of the cavity surface T_{smax} rises up to $(19 - 30)C^\circ$.

*Temperature rise of the cavity **during** RF pulse leads to thermal deformations and change of the cavity parameters. It **directly lead** to deviations in the amplitude and the phase of the RF field in the cavity.*

Problem description

Classical coupled problem of transient thermal deformations.

source of elastic wave

$$\text{div}(\text{grad}T(\vec{r}, t)) - \frac{\rho_m C_p}{k_c} \frac{\partial T(\vec{r}, t)}{\partial t} - \frac{\alpha_t E_Y T_0}{3k_c(1-2\nu)} \frac{\partial \text{div} \vec{u}}{\partial t} = 0,$$

$$\frac{3(1-\nu)}{(1+\nu)} \text{grad}(\text{div} \vec{u}) - \frac{3(1-2\nu)}{2(1+\nu)} \text{rot} \text{rot} \vec{u} - \alpha_t \text{grad}T(\vec{r}, t) - \frac{3(1-2\nu)\rho_m}{E_Y} \frac{\partial^2 \vec{u}}{\partial t^2} = 0,$$

*Heat diffusion,
10⁻² m/sec*

*Wave equation
for elastic wave,
4.5 · 10³ m/sec*

$\rho_m, C_p, k_c, \alpha_t, E_Y$ and ν ← materials parameters

For temperature rise T_s and
penetrations depth D_d estimation 1D.

$$T_s = \frac{2P_s \sqrt{\tau}}{\sqrt{\pi k_c \rho_m C_p}}, \quad \alpha_d = \frac{k_c \tau}{\rho_m C_p}, \quad D_d = \sqrt{\alpha_d \tau},$$

$$\tau = 1 \mu s, 3 \mu s, 6 \mu s \text{ and } 10 \mu s$$

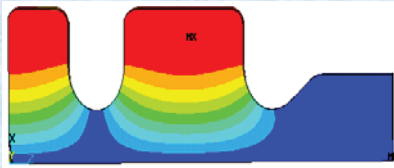
$$D_d = 10.7 \mu m, 18.5 \mu m, 26.2 \mu m \text{ and } 33.8 \mu m$$

$$V_l = \sqrt{\frac{E_Y(1-\nu)}{2\rho_m(1+\nu)(1-2\nu)}}$$

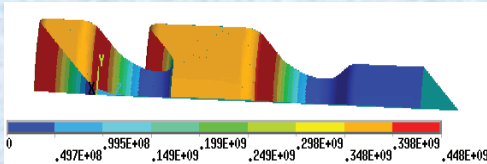
*Two processes that differ by **five** orders of magnitude in the propagation velocities and spatial dimensions. Distance between the surface and cooling channels is of ~ 3 mm. The travel time of elastic wave is of ~1.2 μs is shorter than RF pulse duration. During RF pulse **we should expect interaction** of the forward wave from surface with backward waves, reflected from violations of cavity body homogeneity.*

Numerical procedure, ANSYS, model calibration

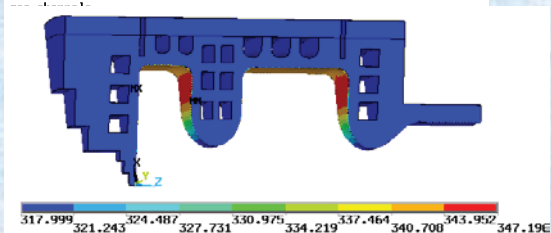
RF



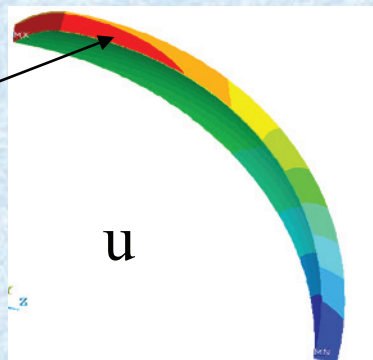
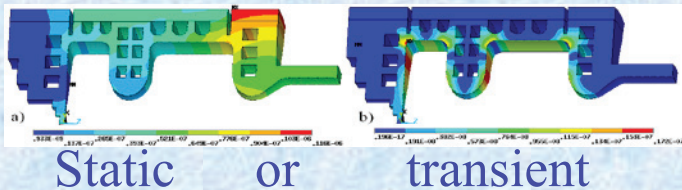
P_l



$T(t)$

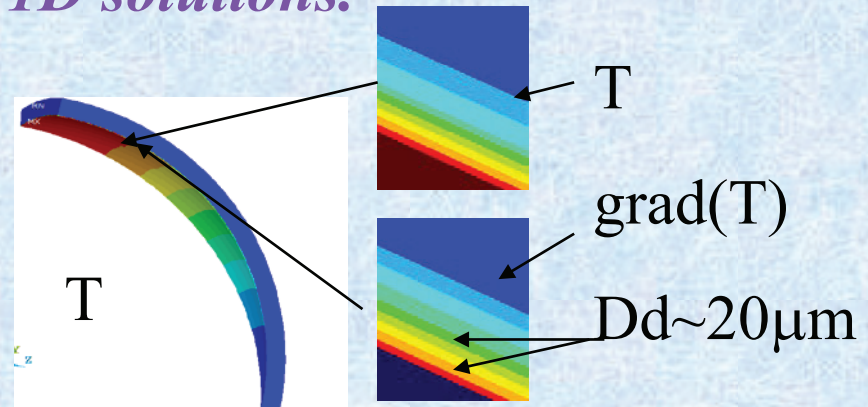


u



The problem is to describe precisely both **T** and **especially grad(T)** in the layer $D_d \sim 10\mu\text{m}$ at the background of $\sim 80\text{mm}$ gun dimensions.

*Calibration with hollow spherical cavity – allows **analytic** (static u) and numerical 1D solutions.*



*The deviations between analytic and numerical results **in units of percents** was fixed for further simulations.*

1

ANSYS

NODAL SOLUTION

AUG 20 2018

14:41:38

STEP=1

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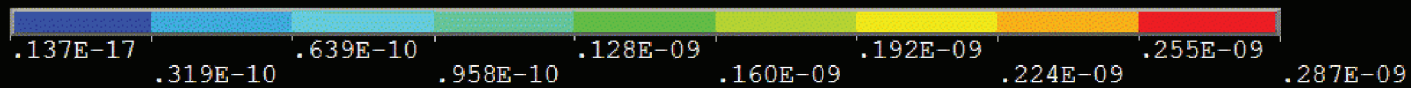
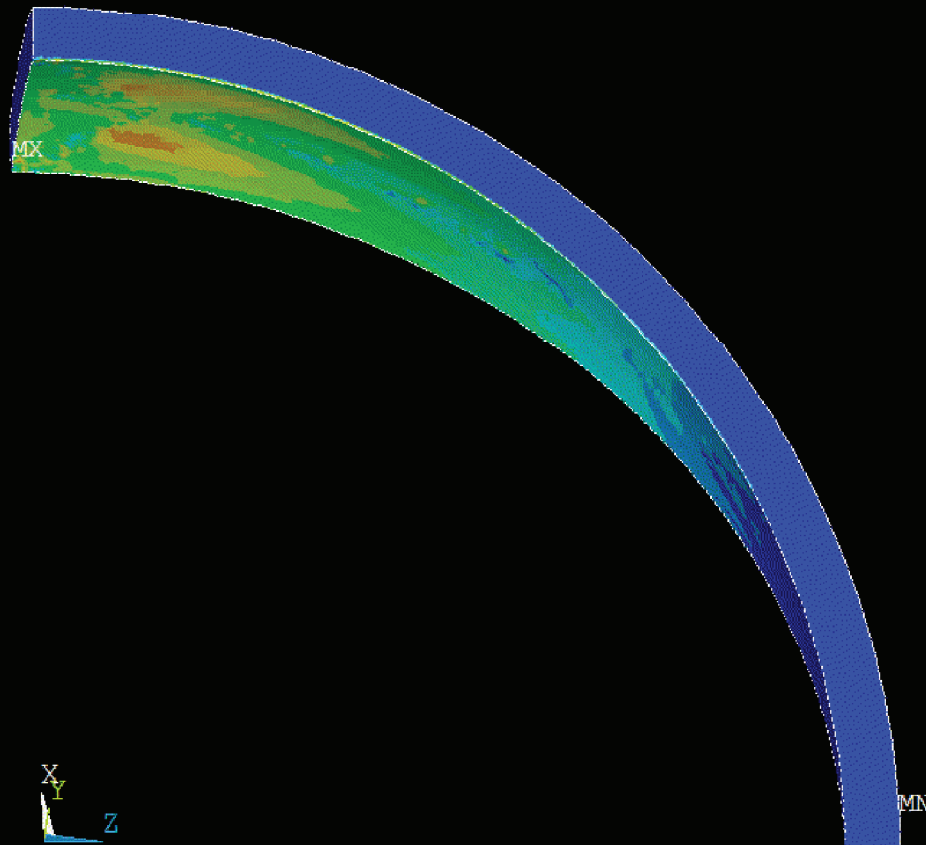
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SMN =.137E-17

SMX =.287E-09

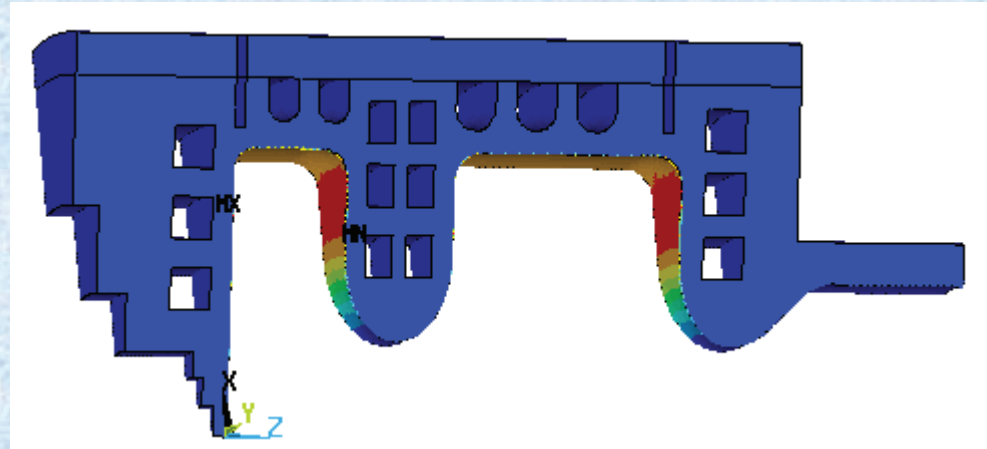


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Temperature distributions

$$T_s = \frac{2P_s\sqrt{\tau}}{\sqrt{\pi k_c \rho_m C_p}}$$

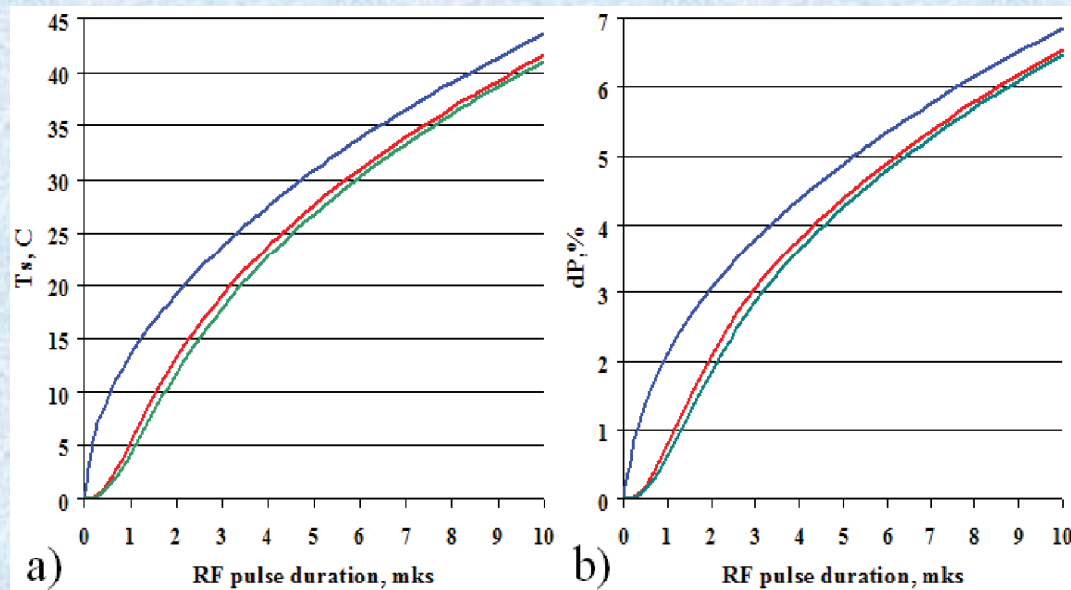
For rectangular Pl pulse the estimations for T_s works fine. With the precision of Dd , distribution T_s reflects the surface distribution of P_s .



$$P_l = P_s = \text{const}, 0 \leq t \leq \tau$$

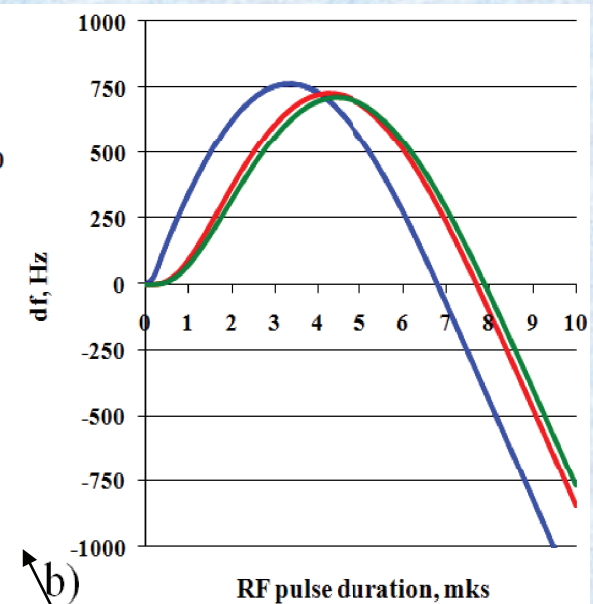
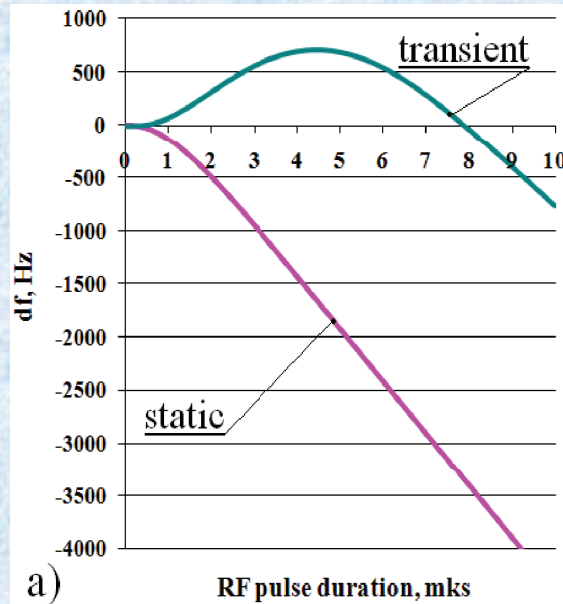
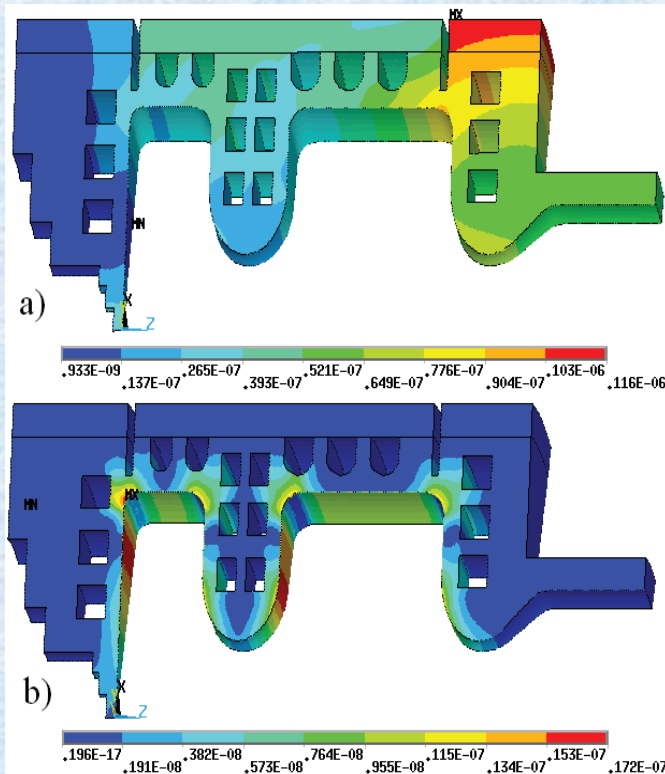
$$P_l = P_s(1 - e^{-\frac{t}{\tau_c}})^2, 0 \leq t \leq \tau$$

$$\tau_{c1} = 0.62\mu s \text{ and } \tau_{c2} = 0.76\mu s$$



Time dependence of max. temperature rise of the surface $T_{s\text{max}}$ (a) and relative increase of RF losses (b) for rectangular (blue) and accretive with τ_{c1} (red) or τ_{c2} (green) P_l pulse.

Displacements distributions



Displacements after $\tau=4.5\mu\text{s}$, τ_{c1} RF pulse for static (top) and transient (bottom) approximations.

Important!

Cavity detuning during $\tau_{c1} P_1$ pulse for static and transient approximations (a) and transient detuning for rectangular (blue curve), accretive with τ_{c1} (red) or τ_{c2} (green) P_1 pulses (b).

1

ANSYS

NODAL SOLUTION

AUG 22 2018

13:17:40

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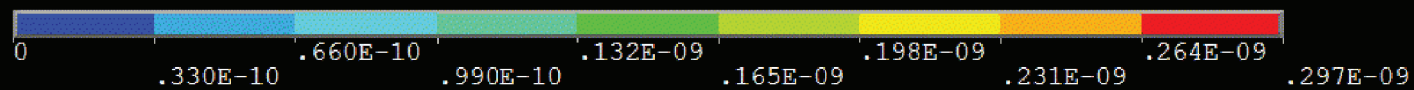
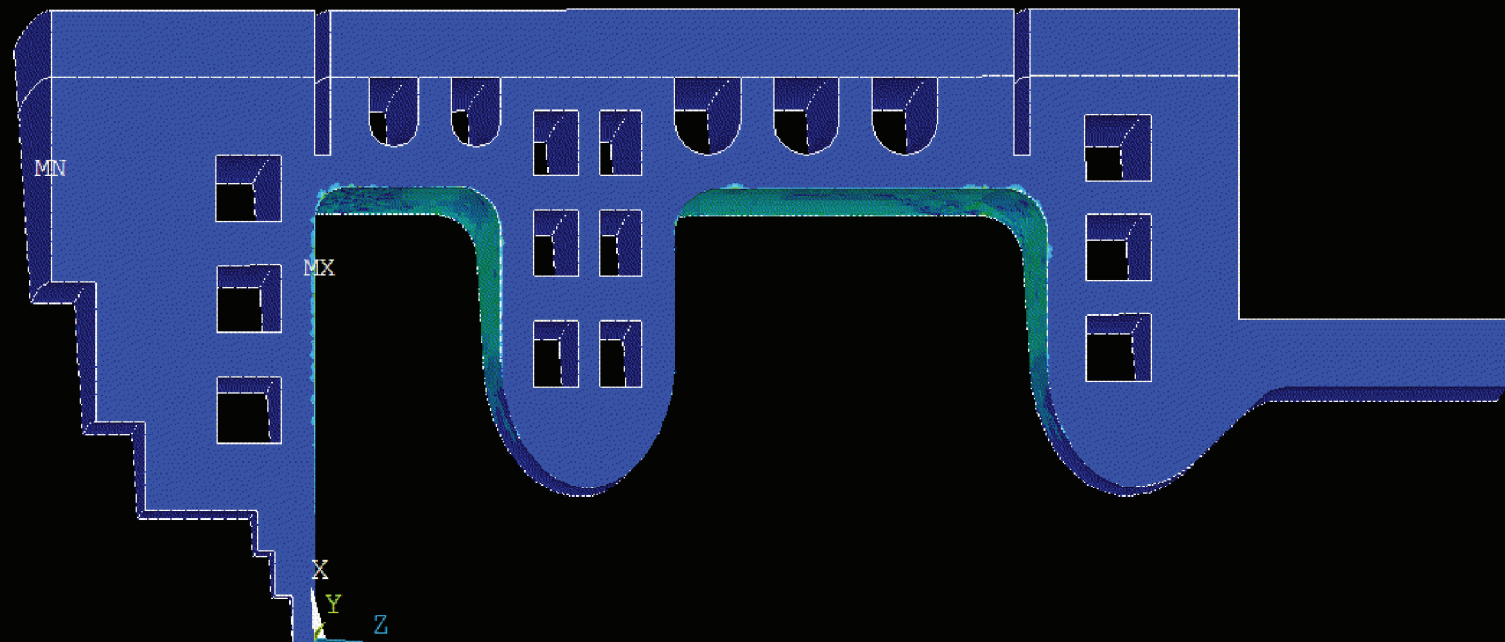
USUM (AVG)

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SMN =0

SMX =.297E-09



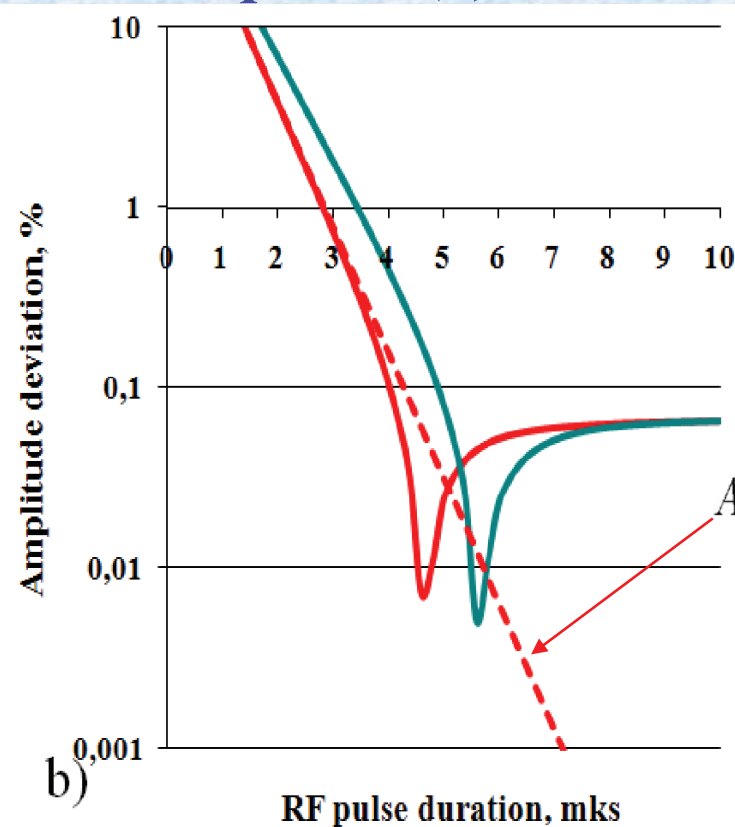
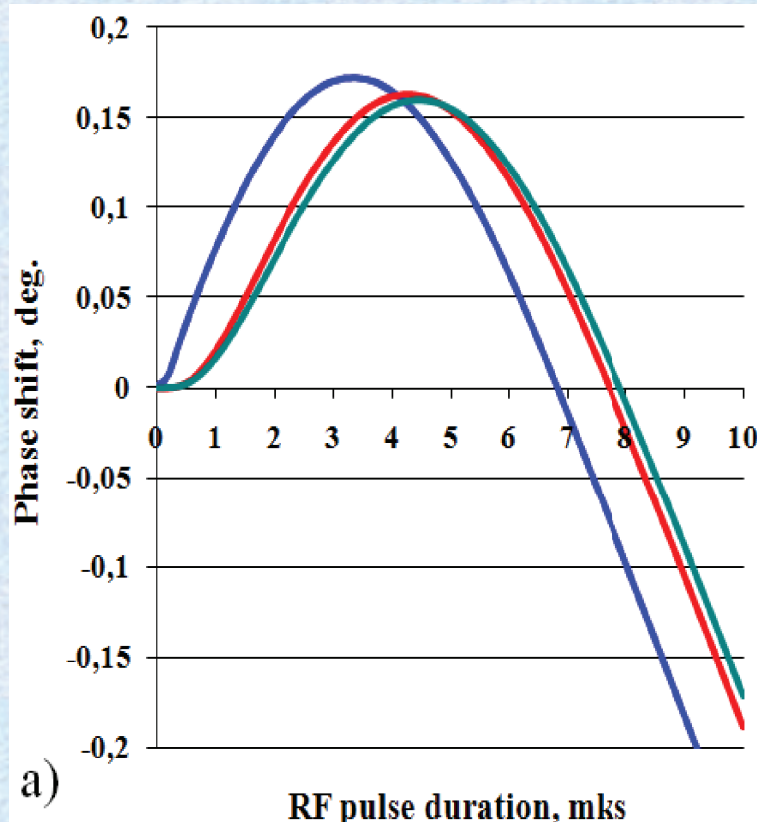
File: geo_channels

Impact on RF field stability

$$A = A_0 \sqrt{\frac{1 - \rho_0^2}{1 + \left(\frac{2Q_l df}{f_0}\right)^2}} \cos(\omega t - \phi), \phi = \arctg\left(\frac{2Q_l df}{f_0}\right),$$

$$Q_0 = 12190 \text{ and } Q_l = 5870, \quad \frac{2Q_l df}{f_0} \approx 2.7 \cdot 10^{-3}$$

Temporal dependence of the phase shift of RF oscillations (a) and relative value of amplitude deviations for P_l pulses (b)



Summary

For typical operating modes of S-band RF gun cavities the effects of pulsed heating during the the RF pulse are manifested not only in the growth of surface temperature but also in small but unavoidable thermal deformations. During a short RF pulse these deformations are essentially non-stationary. Both surface temperature rise and cavity thermal deformations result in changes of own quality factor and cavity resonance frequency even during few microseconds long RF pulse.

This report presents results of numerical simulation of both the cavity parameters change and related deviations of the RF field amplitude and phase for typical operating regime.

ACKNOWLEDGEMENT

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Thank You for attention!