



# The S2C2 from source to extraction



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## S2C2 = SuperCOnducting SynchroCyclotron

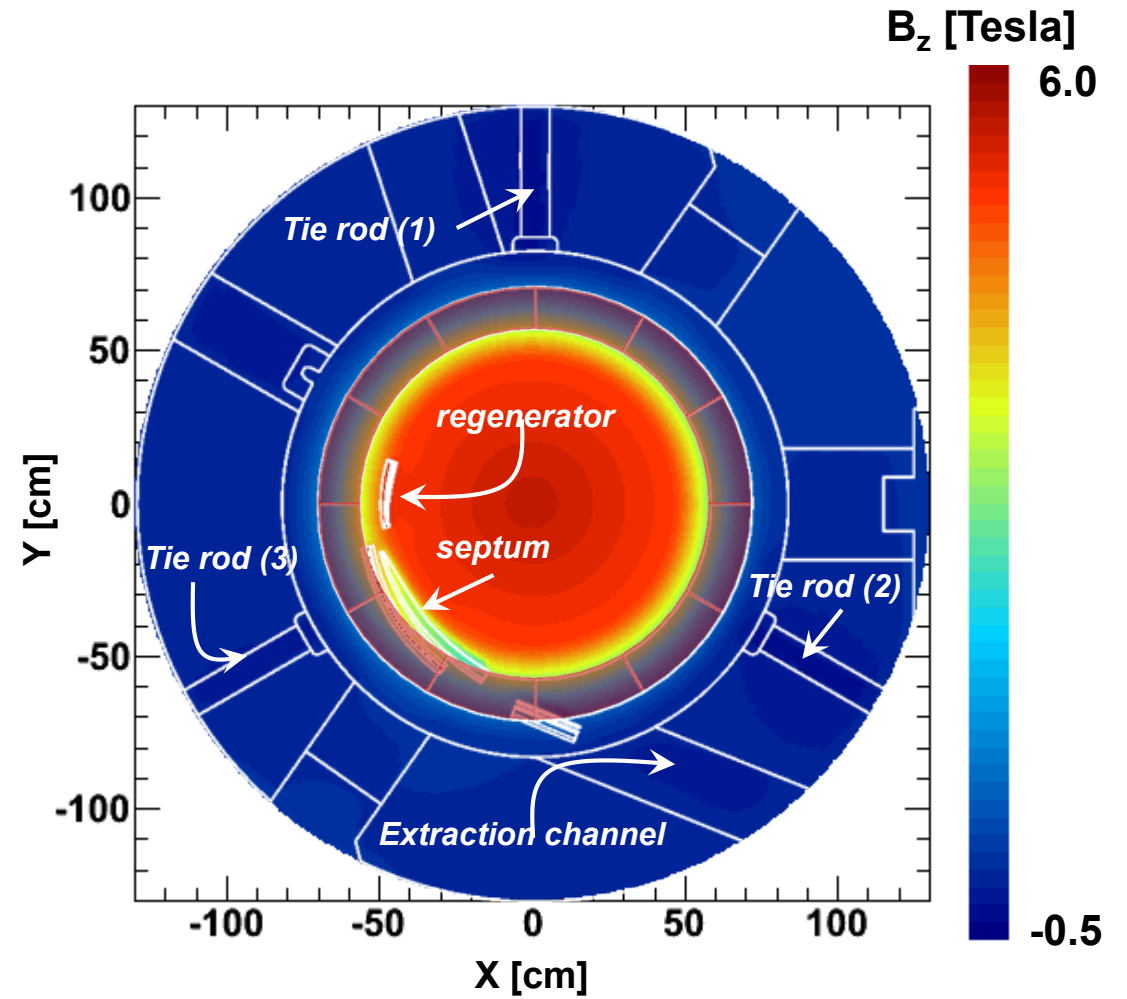
- **General properties**
  - ✓ Layout, RF and magnetic properties
- **Injection**
  - ✓ orbit centering and separatrix filling
- **Acceleration**
  - ✓ The “phase motion code” : RF phase, energy and orbit center tracking
  - ✓ Beam losses
- **Extraction**
  - ✓ Coil positioning, energy, emittance, efficiency, lost protons, ...

# General properties

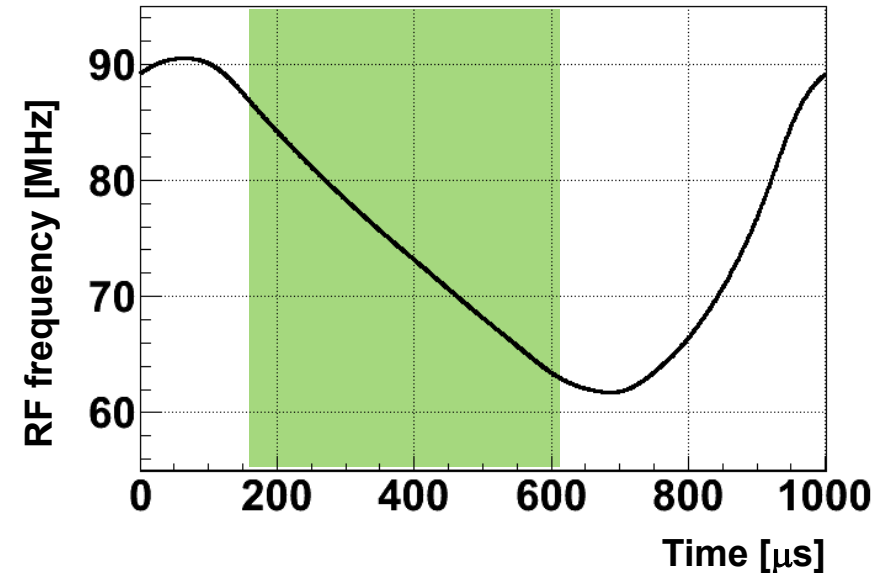
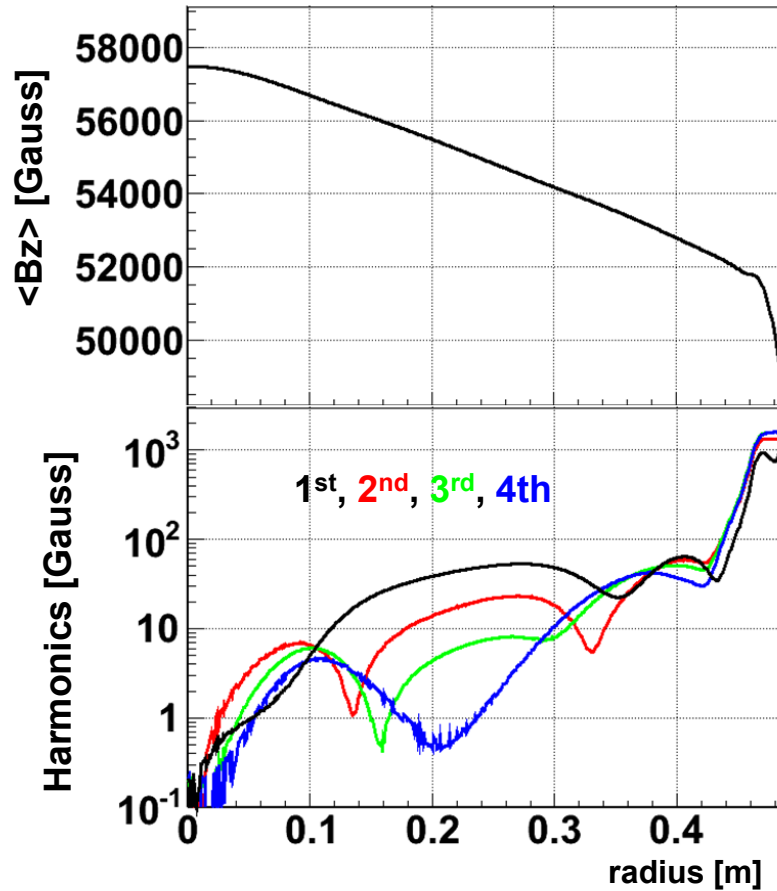
# General properties : layout



- ✓ Pole radius  $\approx 50$  cm
- ✓ Weight  $\approx 50$  ton
- ✓ Diameter  $\approx 2.5$  m

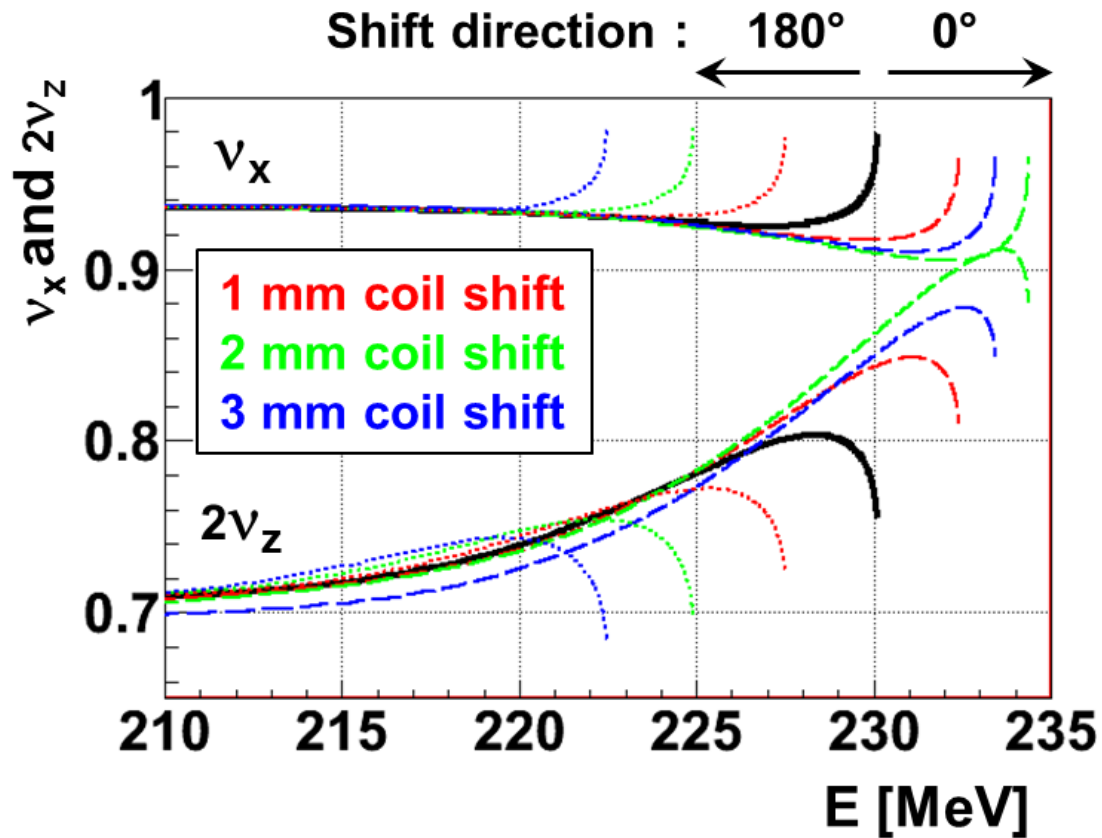


# General properties : harmonics and frequency sweep



- ✓ Weak focusing – peak field = **6.1 T** (regenerator)
- ✓ Frequency modulation (**90**→**60 MHz**) @ **1 kHz**  $\Rightarrow$  pulsed beam
- ✓ Dee voltage : **7**  $\rightarrow$  **10 kV**
- ✓ Injection frequency **87 MHz**
- ✓ Extraction frequency **63 MHz**
- ✓ Acceleration time  $\approx$  **450  $\mu$ s**
- ✓ Half-integer regenerative extraction ( **$2\nu_r=2$** )

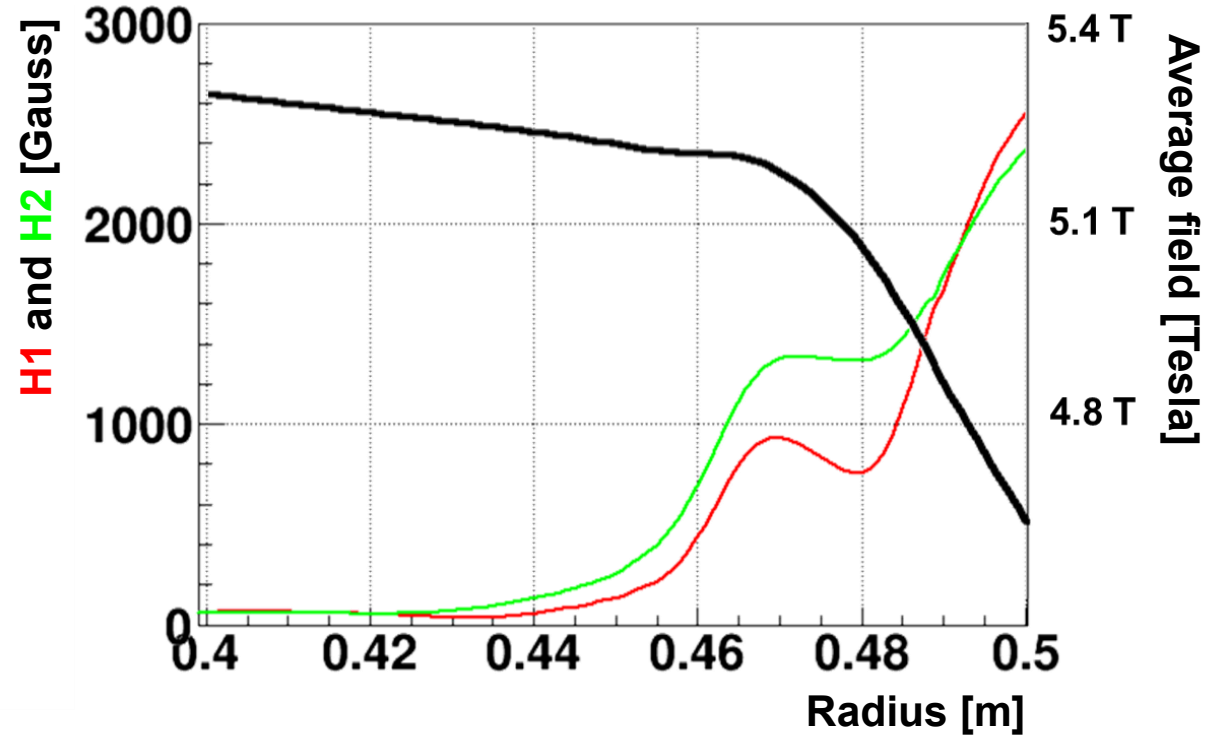
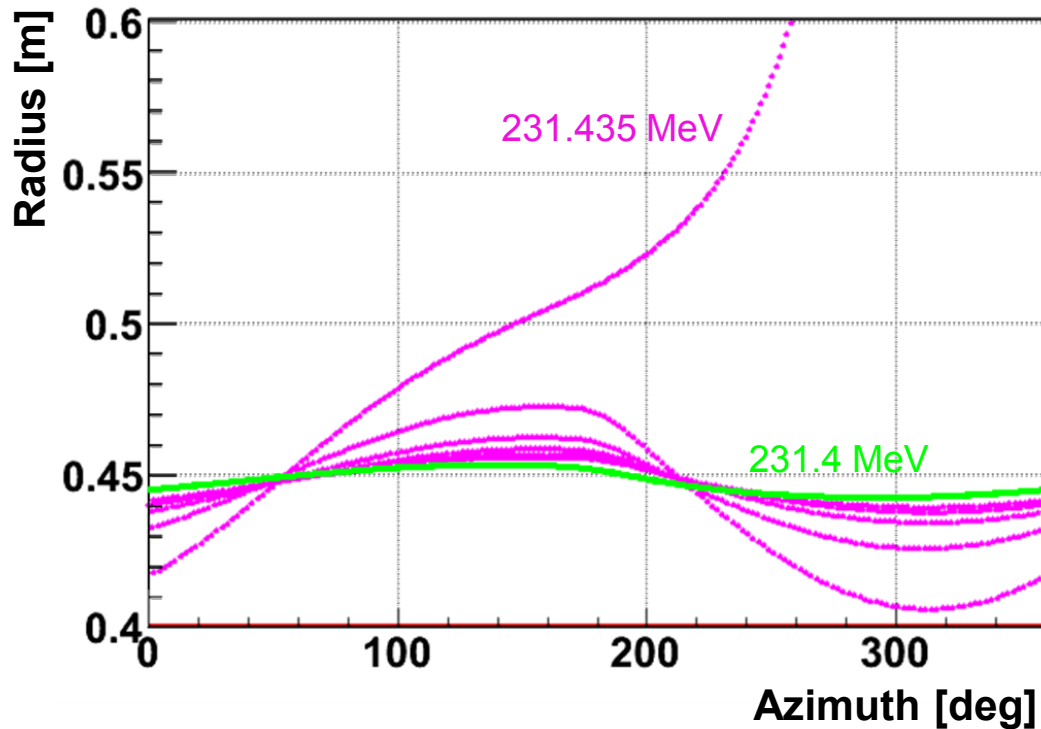
# General properties : horizontal coil position



The horizontal coil position determines :

- proximity of the Walkinshaw resonance
- extraction energy ( $v_r \rightarrow 1$ )

# General properties : half-integer regenerative extraction



✓ Last stable closed orbit in the S2C2 (231.4 MeV) :  $\nu_r \rightarrow 1$

✓  $2\nu_r=2$  resonance : the orbit center becomes unstable

✓  $\approx 5$  more turns before the proton is extracted

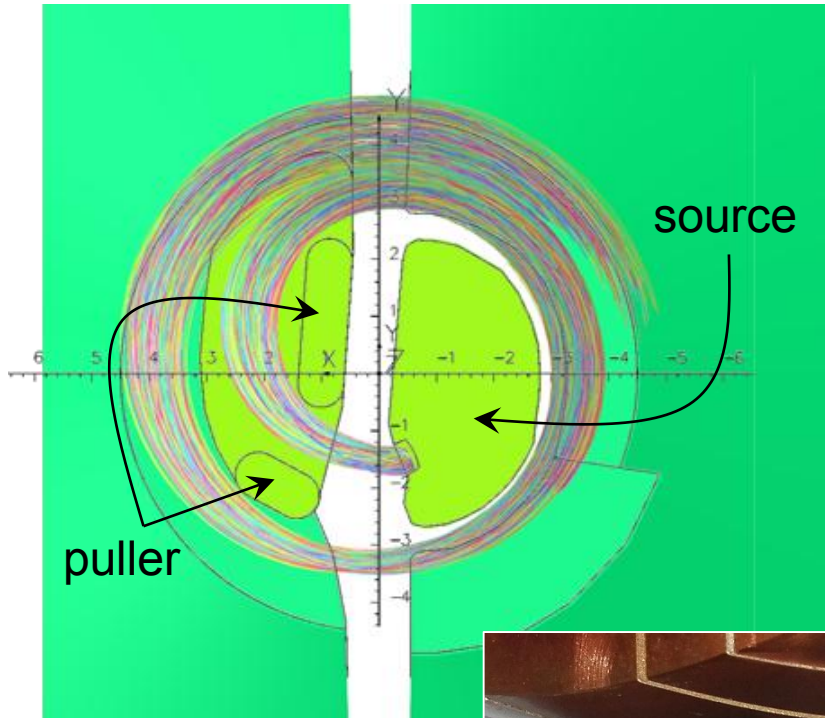
# Injection

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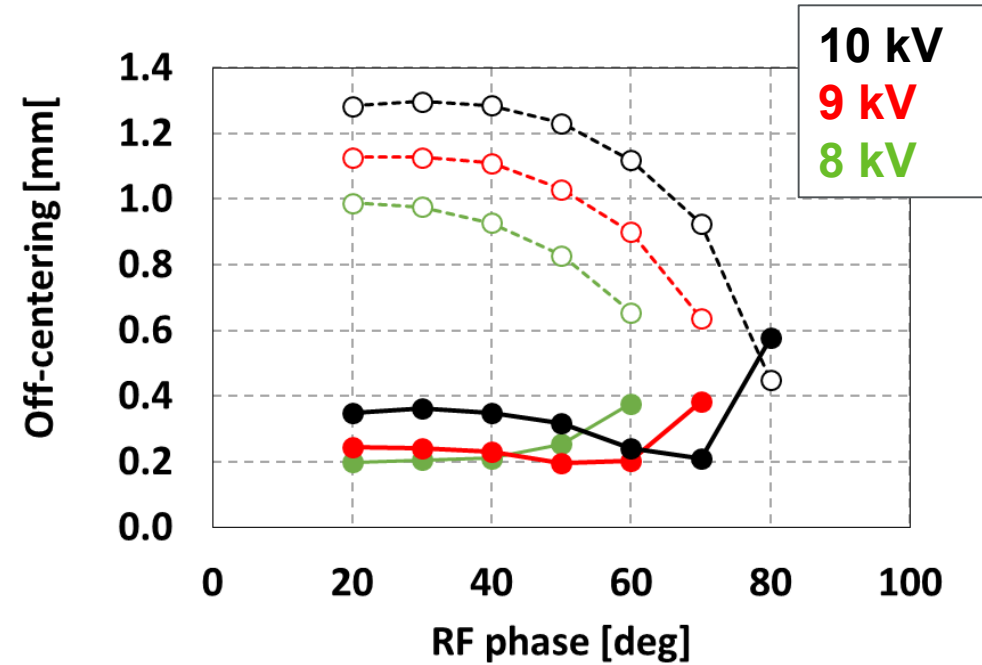


# Injection : orbit centering at injection (1)

✓ 1<sup>st</sup> turn radius  $\approx 3$  mm



✓ Orbit center after 30 turns

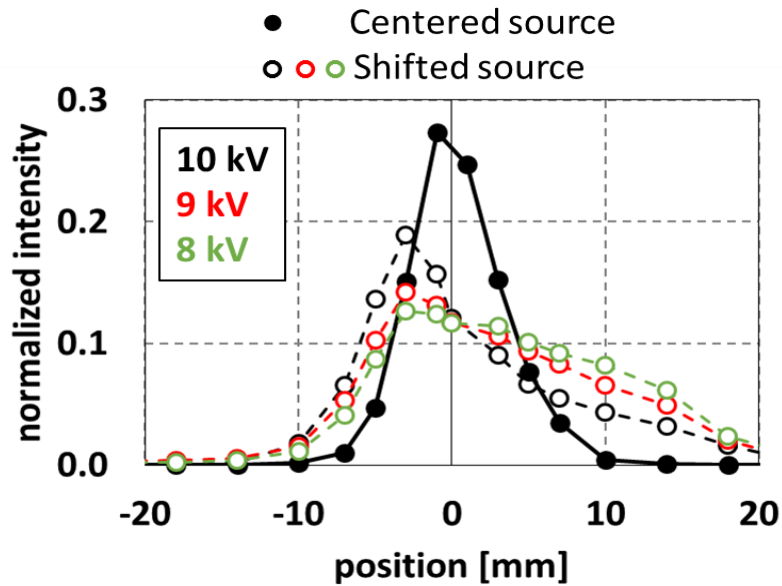


○ ○ ○ Source shifted +1 mm  
● ● ● Source centered



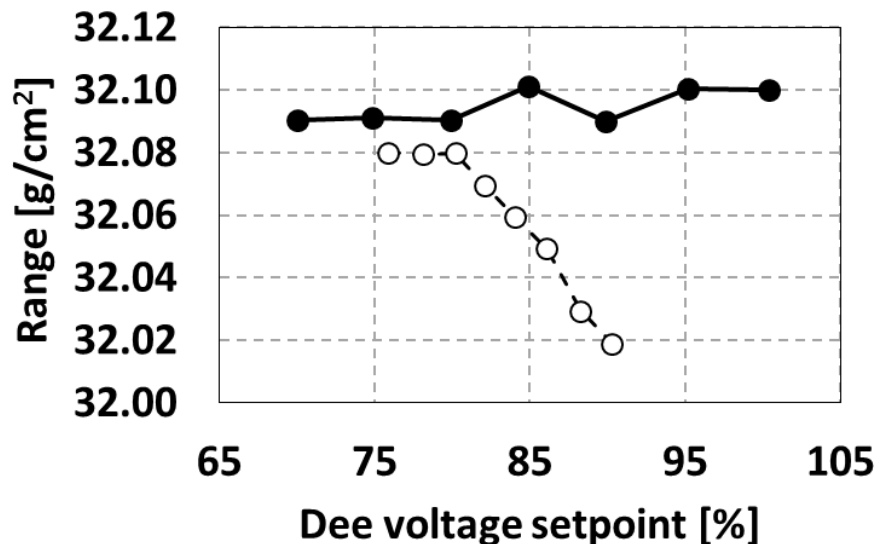
**Source positioning is very delicate !  
Consequences for extraction energy !**

# Injection : orbit centering at injection (2)



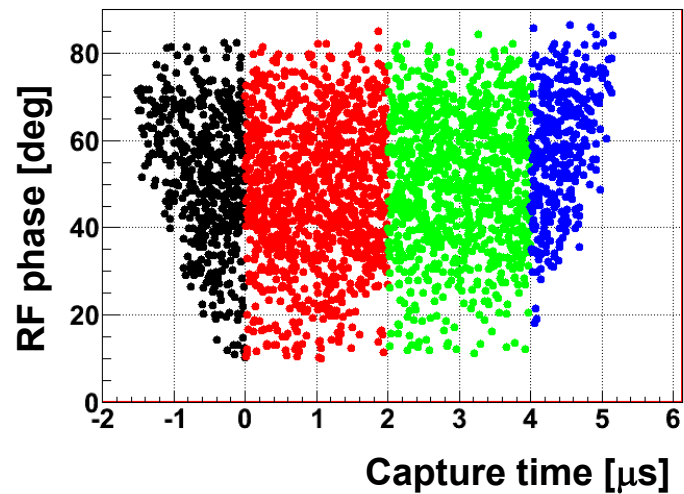
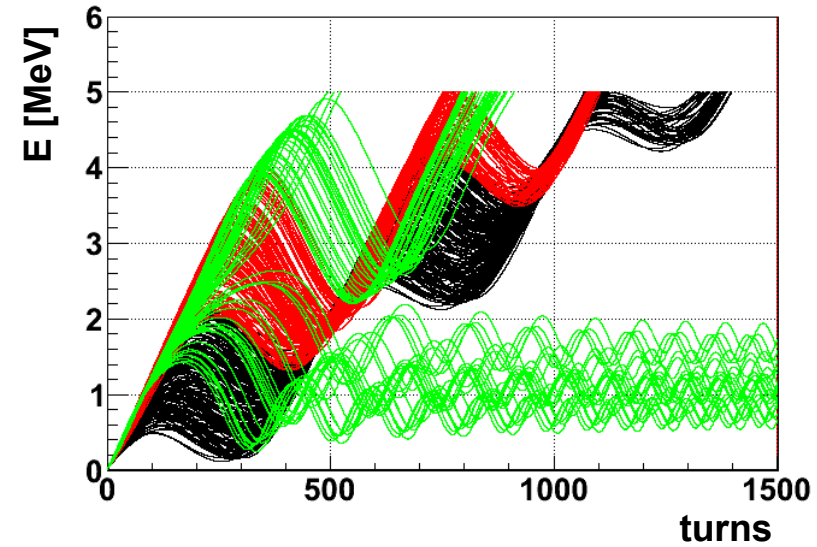
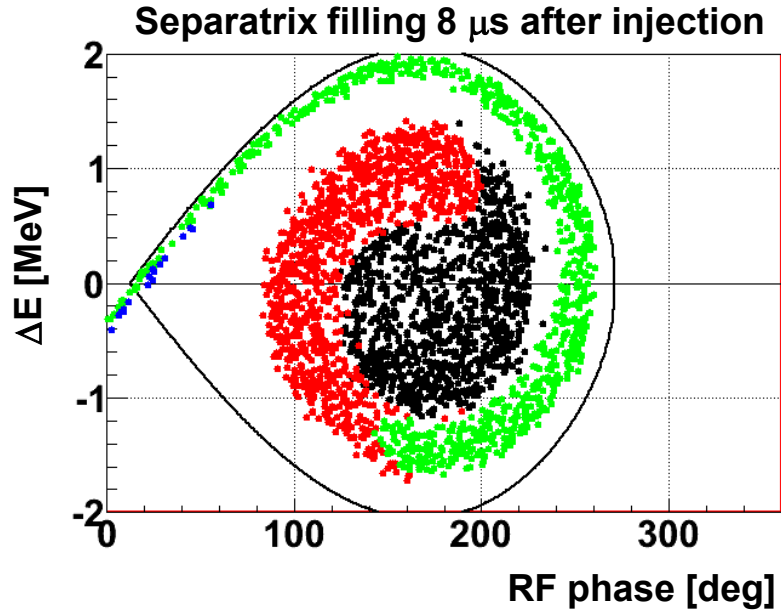
- ✓ Jump forward – into the gantry – at the end of the energy selection system

See TUP07 (poster session Tuesday)



- ✓ Jump forward : at isocenter – range measurements in a water phantom

# Injection : separatrix filling



- ✓ Protons near the border of the separatrix are captured “late”
- ✓ The total injection time is about 5  $\mu\text{s}$

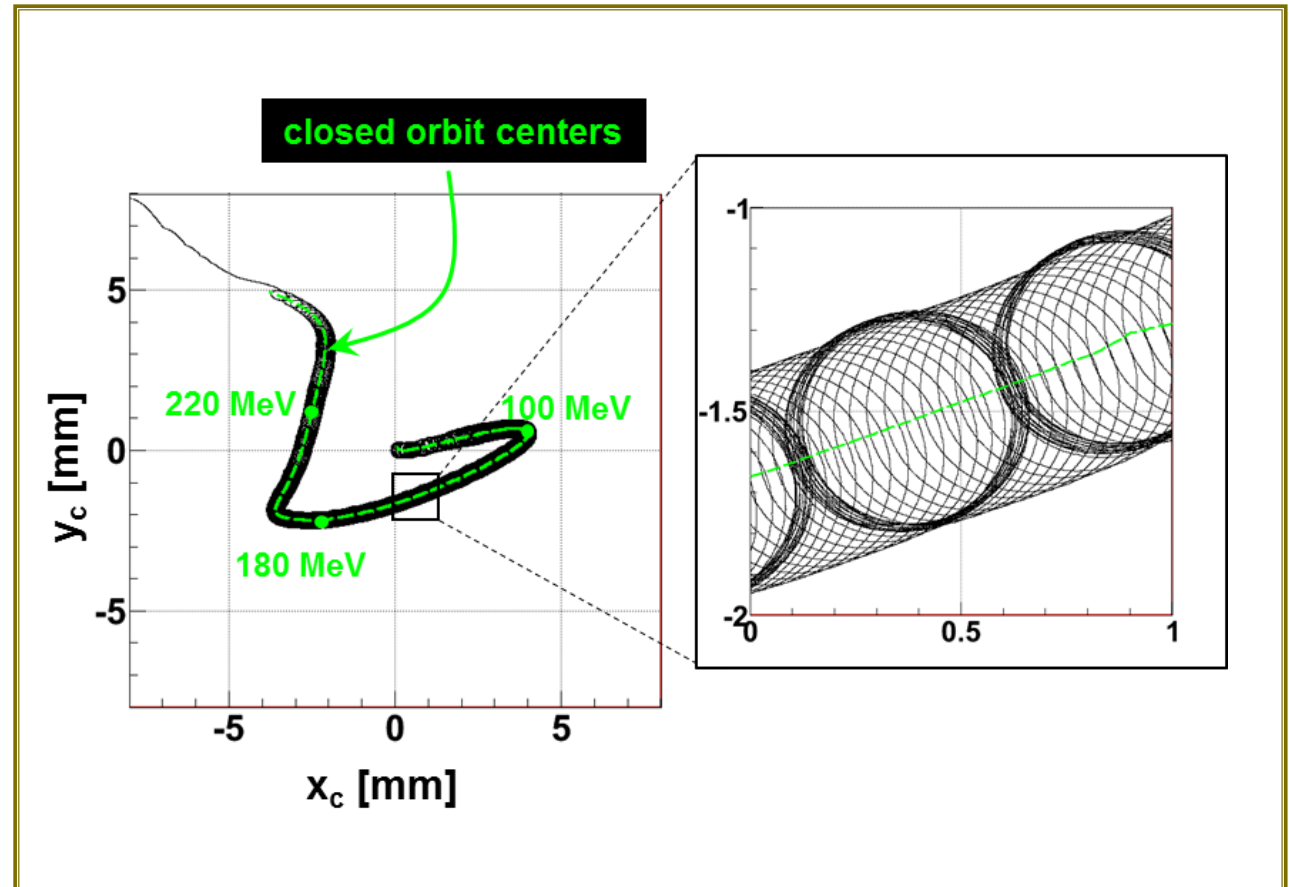
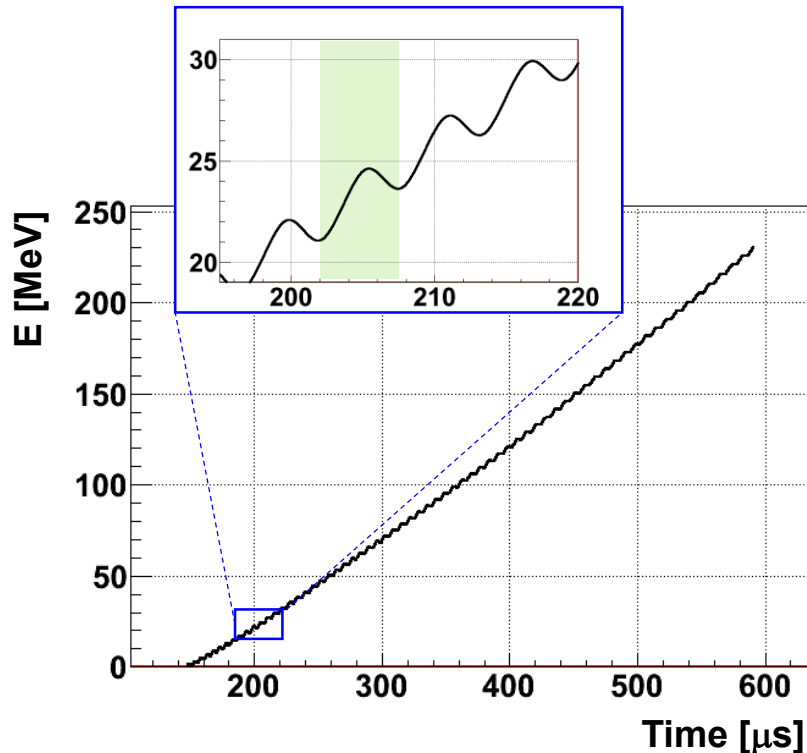
# Acceleration

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# Acceleration : detailed tracking of protons

- ✓ Simulating ~50.000 turns from source to extraction
- ✓ “Advanced Orbit Code” (AOC) by W. Kleeven : full tracking in magnetic and electric field maps (time consuming : ~30' / proton)

Synchrotron period @ 22 MeV =  $7.4 \mu\text{s}$  or  $\approx 600$  turns



# Acceleration : the « phase motion » code

- ✓ Simulating ~50.000 turns from source to extraction
- ✓ “Advanced Orbit Code” (AOC) by W. Kleeven : full tracking in magnetic and electric field maps (time consuming : ~30' / proton)
- ✓ **ALTERNATIVE** : tracking of main beam properties (phase motion code)

## Energy

$$\frac{dE}{dt} = e \cdot F_{RF} \cdot V_{RF} \cdot \sin(\varphi)$$

## RF phase

$$\frac{d\varphi}{dt} = 2\pi(F_{RF} - F_p)$$

## Orbit center

$$\frac{dx_c}{dt}, \frac{dy_c}{dt}$$

$E$  = kinetic energy of the proton  
 $F_{RF}$  = frequency of the RF system  
 $F_p$  = revolution frequency of the proton  
 $V_{RF}$  = voltage on the dee  
 $\varphi$  = RF phase of the proton

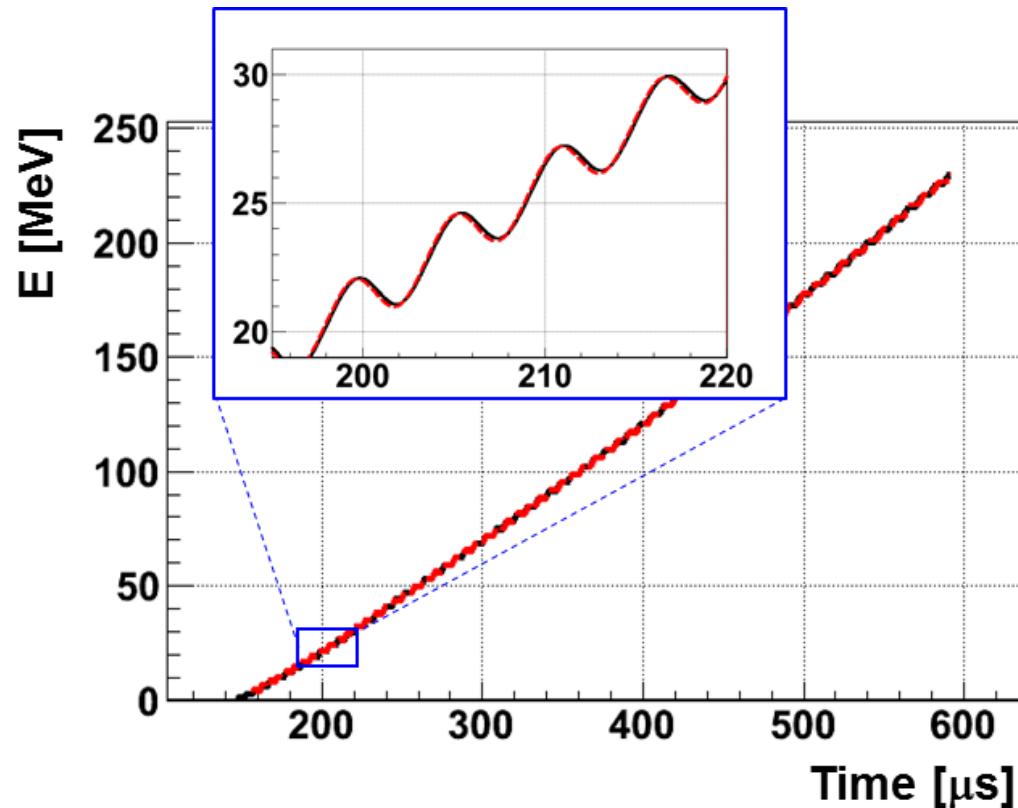
### Input :

- 1/ AOC beam properties at 3 MeV
- 2/ measured : B(r) and  $F_{RF}$  (\*)
- 3/ closed orbits : B(r), E,  $F_p$

(\*) *measured frequency profiles have to be smooth to integrate the phase with high precision !*

# Acceleration : energy and RF phase tracking

- ✓ Energy and RF phase tracking : comparison with AOC



Energy

$$\frac{dE}{dt} = e \cdot F_{RF} \cdot V_{RF} \cdot \sin(\varphi)$$

RF phase

$$\frac{d\varphi}{dt} = 2\pi(F_{RF} - F_p)$$

# Acceleration : orbit center tracking

- ✓ Equations of motion for the orbit center are derived from the following Hamiltonian  
*[Hagedoorn and Verster, NIM 18,19 (1962) p. 201-228]*

$$\begin{aligned}
 H(x_c, y_c) = & \frac{r}{2} (\bar{A}_1 x_c + \bar{B}_1 y_c) + \frac{1}{2} \left( \nu_r - 1 + \frac{1}{2} A'_0 \right) (x_c^2 + y_c^2) \\
 + & \frac{1}{4} (A_2 + \frac{1}{2} A'_2) (x_c^2 - y_c^2) + \frac{1}{2} (B_2 + \frac{1}{2} B'_2) x_c y_c \\
 + & \frac{1}{48r} \left( D_1 [4x_c^3 - 3x_c(x_c^2 + y_c^2)] + D_2 [3y_c(x_c^2 + y_c^2) - 4y_c^3] \right. \\
 + & \left. [D_3 x_c + D_4 y_c] [x_c^2 + y_c^2] \right) + \mathcal{O}(4)
 \end{aligned}$$

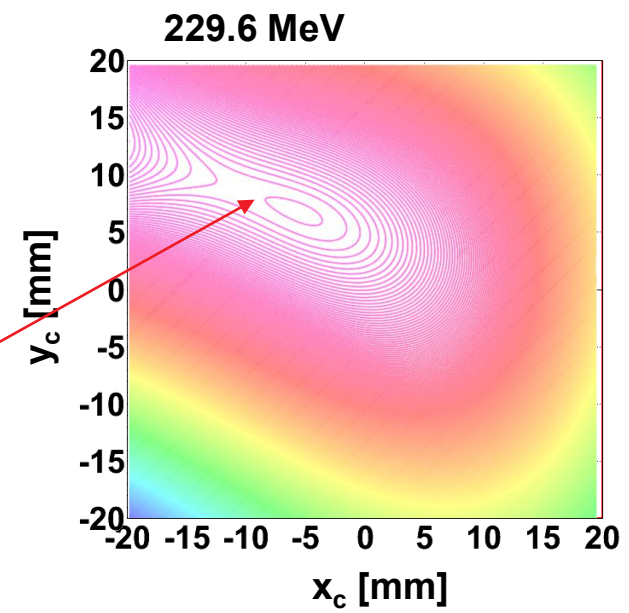
Average field
1<sup>st</sup> harmonic
2<sup>nd</sup> harmonic
3<sup>rd</sup> harmonic

**INPUT** = detailed and smooth magnetic map

Orbit center motion

$$\frac{dx_c}{dt}, \frac{dy_c}{dt}$$

- ✓ Potential energy surfaces

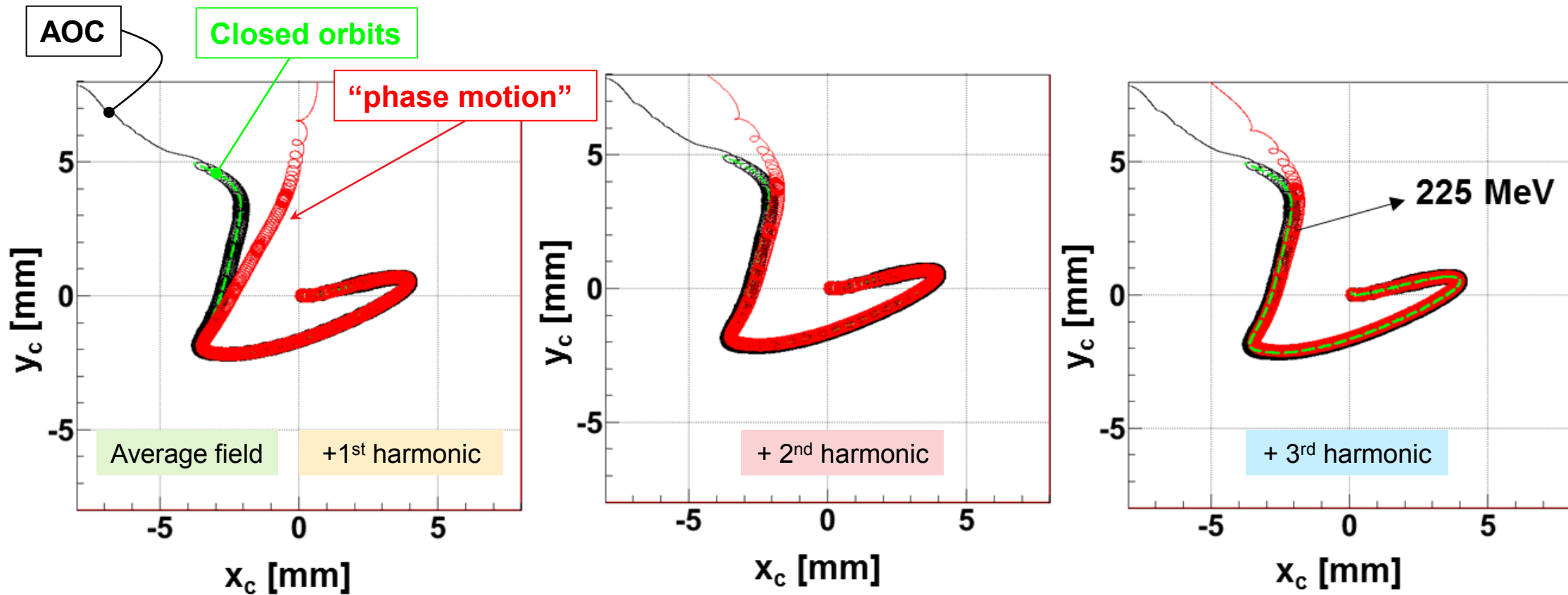


**Instability of the orbit center !**



# Acceleration : orbit center tracking

- ✓ Comparison of orbit center motion : AOC vs phase motion
- ✓ **Up to 3<sup>rd</sup> harmonics** included in “phase motion” code



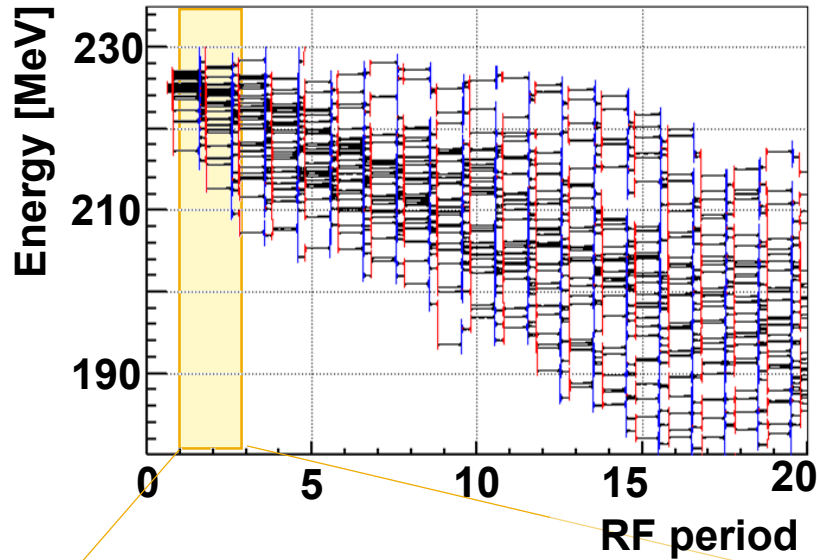
## Application of the code :

- ✓ Study of beam losses inside the S2C2
  - How is beam lost (where, when, why)
  - How to avoid beam loss
  - What happens to lost protons
  
- ✓ Realistic beam properties at 225 MeV as input to AOC for extraction studies :
  - Extracted emittance
  - Extraction efficiency
  - Mean energy and its relation with source positioning precision requirement
  - Energy spread of the beam
  - Temporal profile of the pulse ( $\gamma$ -prompt studies)

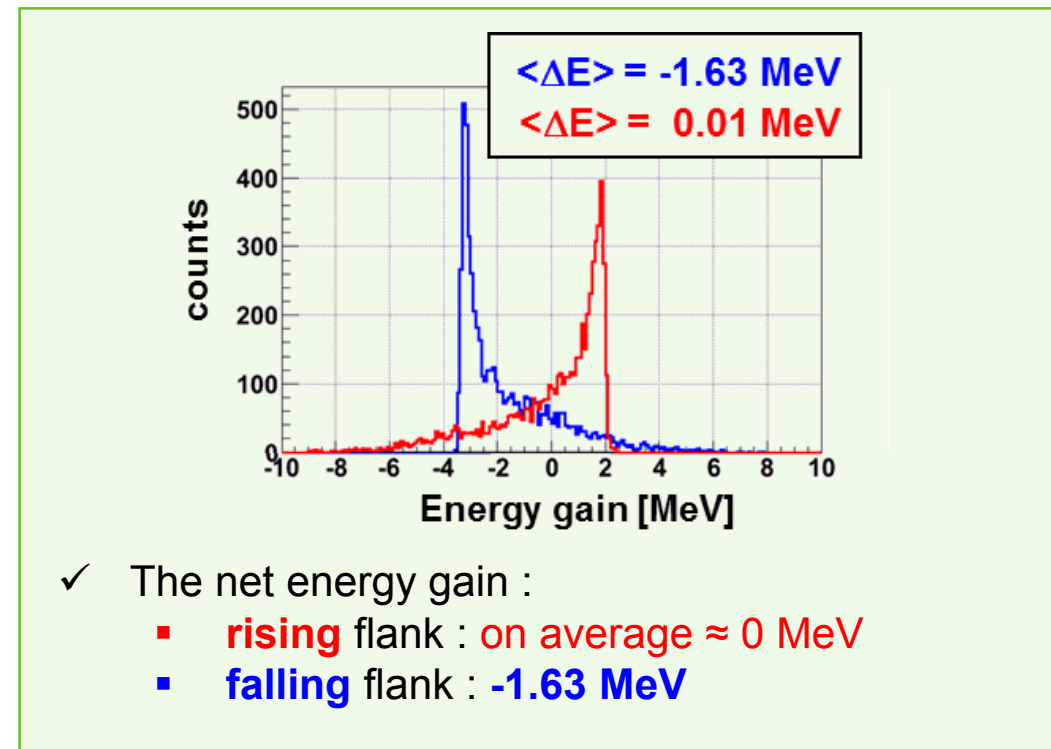
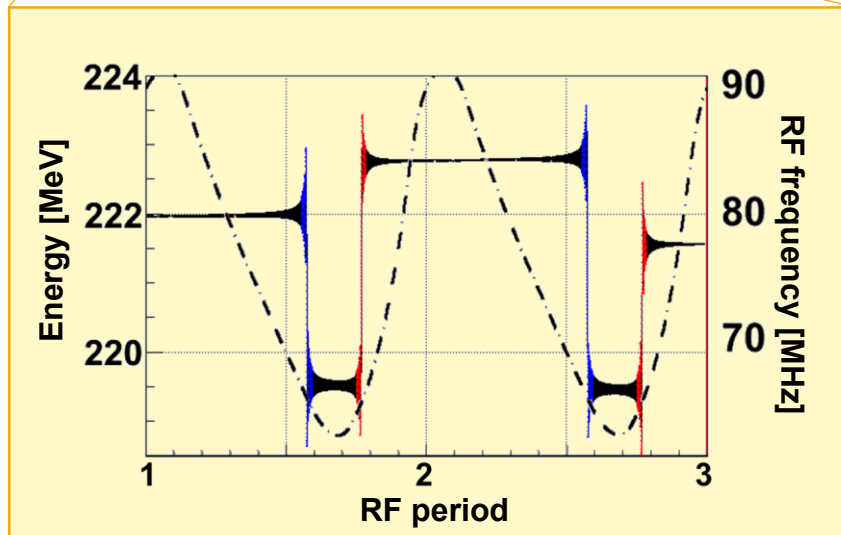
## Application of the code :

- ✓ Study of beam losses inside the S2C2
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- ✓ Realistic beam properties at 225 MeV as input to AOC for extraction studies :
  - **Extracted emittance**
  - Extraction efficiency
  - Mean energy and its relation with source positioning precision requirement
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# Acceleration : what happens to « lost » protons (1)



- ✓ Protons at 225 MeV outside the separatrix
- ✓ Tracking over **20 RF periods**
- ✓ Falling RF frequency : 10 kV dee voltage
- ✓ Rising RF frequency : 5 kV dee voltage
- ✓ resonances appear on the **rising** and the **falling** RF frequency flank

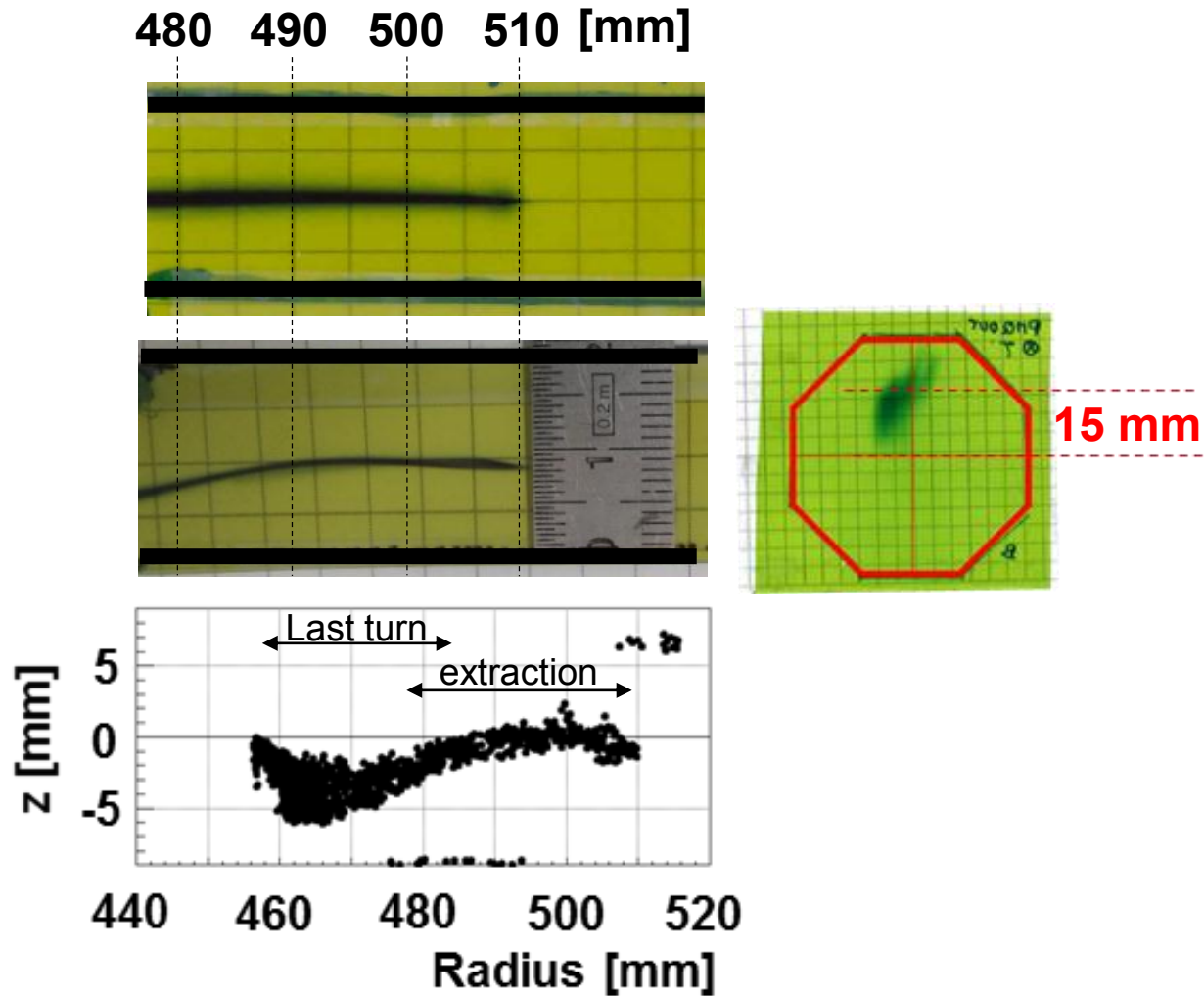


- ✓ The net energy gain :
  - **rising** flank : on average  $\approx 0 \text{ MeV}$
  - **falling** flank :  $-1.63 \text{ MeV}$

# Extraction

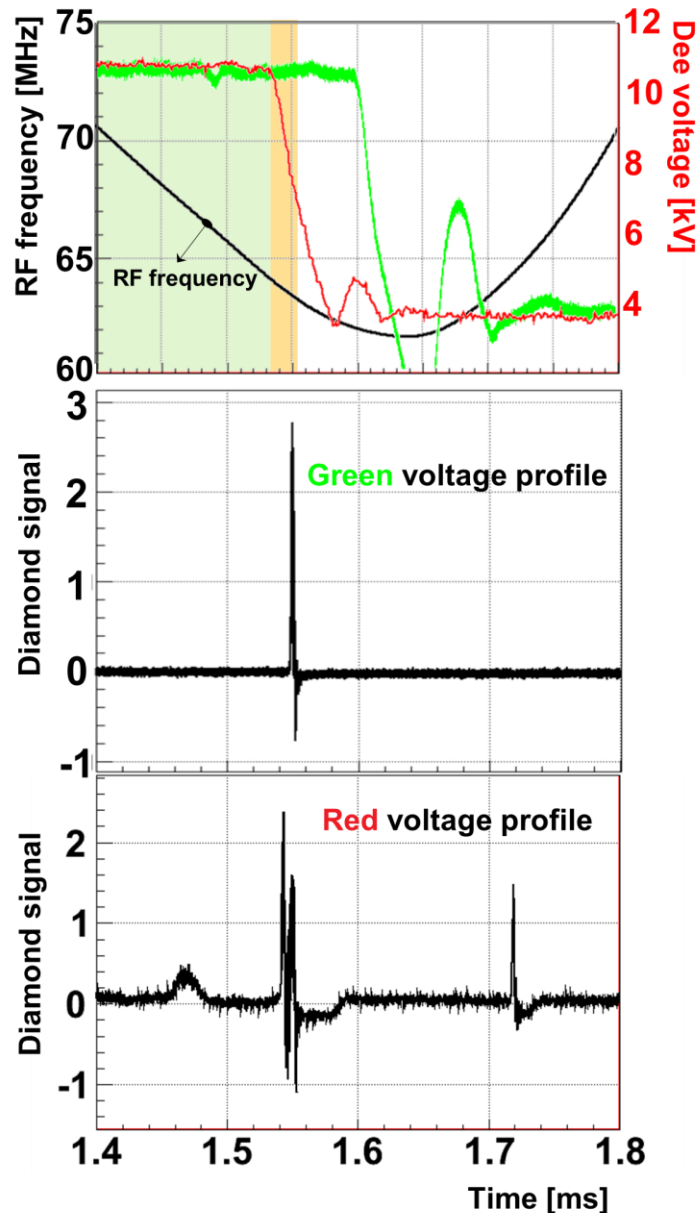
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# Extraction : vertical coil positioning



- ✓ Vertical coil positioning :  
< 0.25 mm precision needed
- ✓ Vertical displacement in the last turn is linear with the coil displacement
- ✓ Fast, precise and easy on-site coil positioning

# Extraction : what happens to « lost » protons (2)



**What if ...** We intentionally loose beam very close to extraction ?

We drop the dee voltage a few  $\mu$ s before extraction ...

**Observation during 2<sup>nd</sup> RF frequency sweep :**

(1) protons coming out on the rising frequency flank

⇒ Explained from energy resonances (see previous)

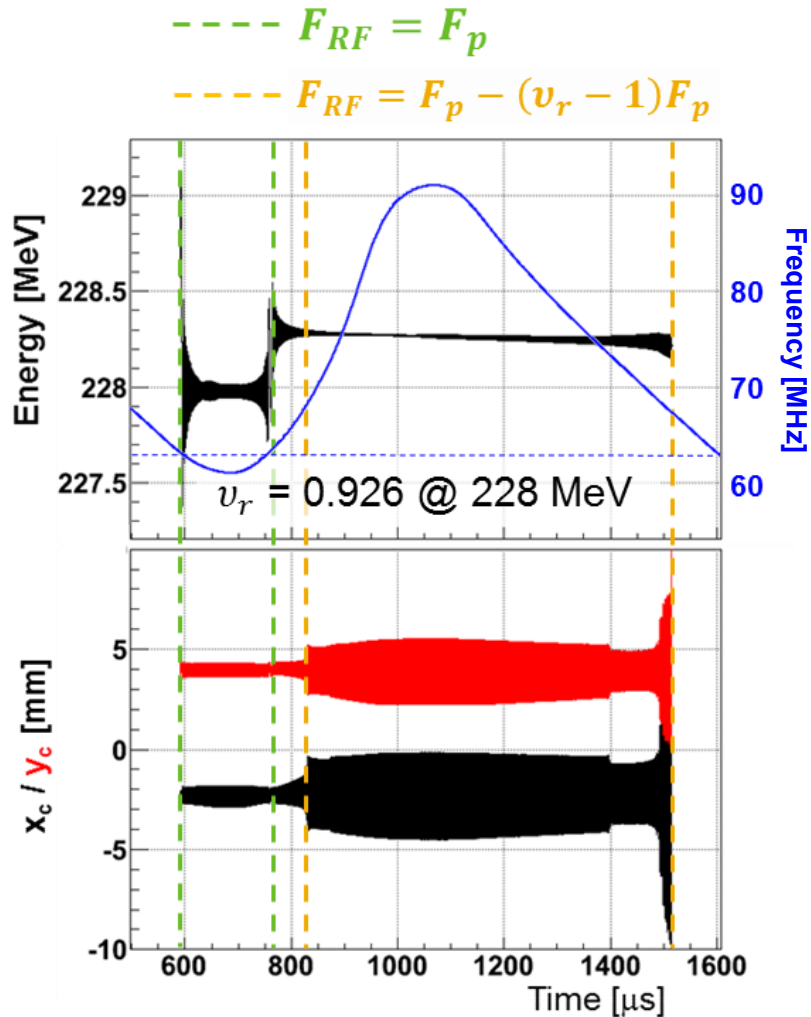
$$f_{RF} = f_p$$

(2) protons coming out before the extraction frequency

⇒ Explained from emittance blow-up and orbit center instability when off-centering becomes too large.

$$f_{RF} = f_p \pm (v_r - 1) f_p$$

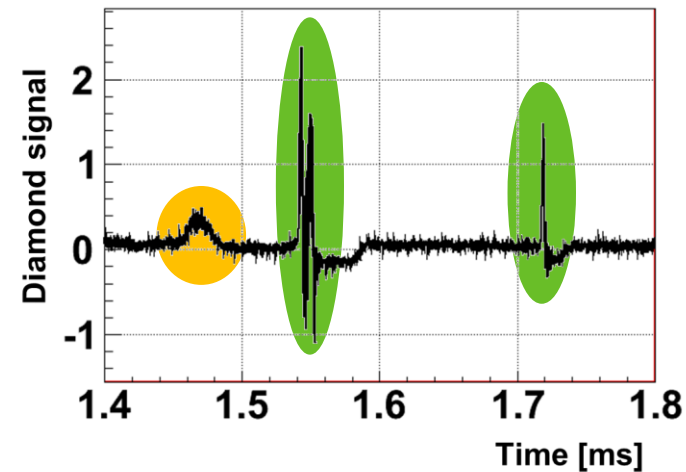
# Extraction : what happens to « lost » protons (2)



$$\frac{dx_c}{dt} = (\nu_r - 1)y_c + (\dots) + \beta_2 x_c + (\dots)$$

$\beta_2$  oscillates with the same frequency as the energy :  $(f_{RF} - f_p)$   
 $x_c$  oscillates with the frequency  $(\nu_r - 1)f_p$

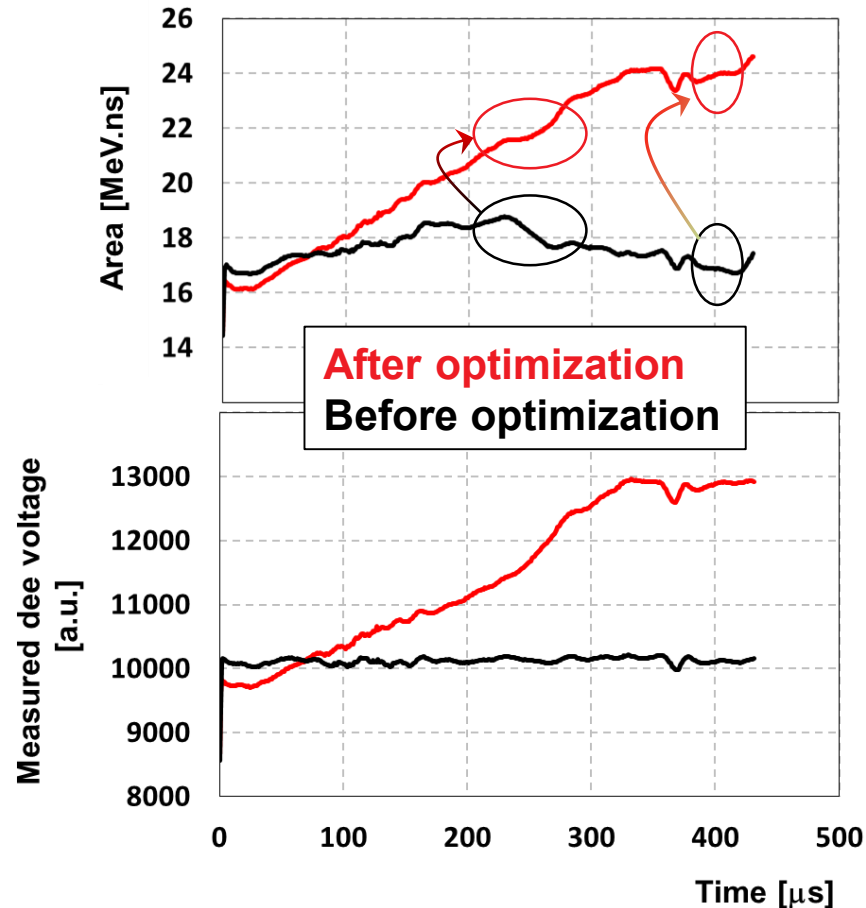
If  $f_{RF} = f_p \pm (\nu_r - 1)f_p$  : resonance effect





# Extraction : how to avoid unwanted extraction

$$\text{Bucket area [MeV.ns]} = 16 \sqrt{\frac{eV}{2\pi\beta^2(T + E_0)|\eta|}} \cdot \alpha_b \cdot \frac{(T + E_0)\beta^2}{2\pi f_p} 10^3$$



- ✓ Important step during commissioning !
- ✓ Iterative, time consuming
- ✓ Optimization by observation of “ghost beam”


# Extraction : simulated vs measured beam properties


Property	Simulated	Measured
Energy spread	150 keV	≈900 keV
$\Delta E/\Delta I_{\text{coil}}$	440 keV/A	440 keV/A
$\Delta E / \text{mm source shift}$	200 keV/mm	≈ 200 keV/mm
Pulse duration (total)	8 $\mu\text{s}$	8 $\mu\text{s}$
1- $\sigma$ pulse duration	2 $\mu\text{s}$	2 $\mu\text{s}$
Extraction efficiency	50%	≈ 35%
Horizontal emittance	24 $\pi.\text{mm.mrad}$	23.2 $\pi.\text{mm.mrad}$
Vertical emittance	5 $\pi.\text{mm.mrad}$	4.0 $\pi.\text{mm.mrad}$
Max. clinical intensity		134 pC/pulse



# The S2C2 from source to extraction

**Thank you !**

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