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CONTROL FEATURES OF THE PLUNGING PICK-UP ELECTRODES WITH REAL TIME DIGITAL DATA PROCESSING

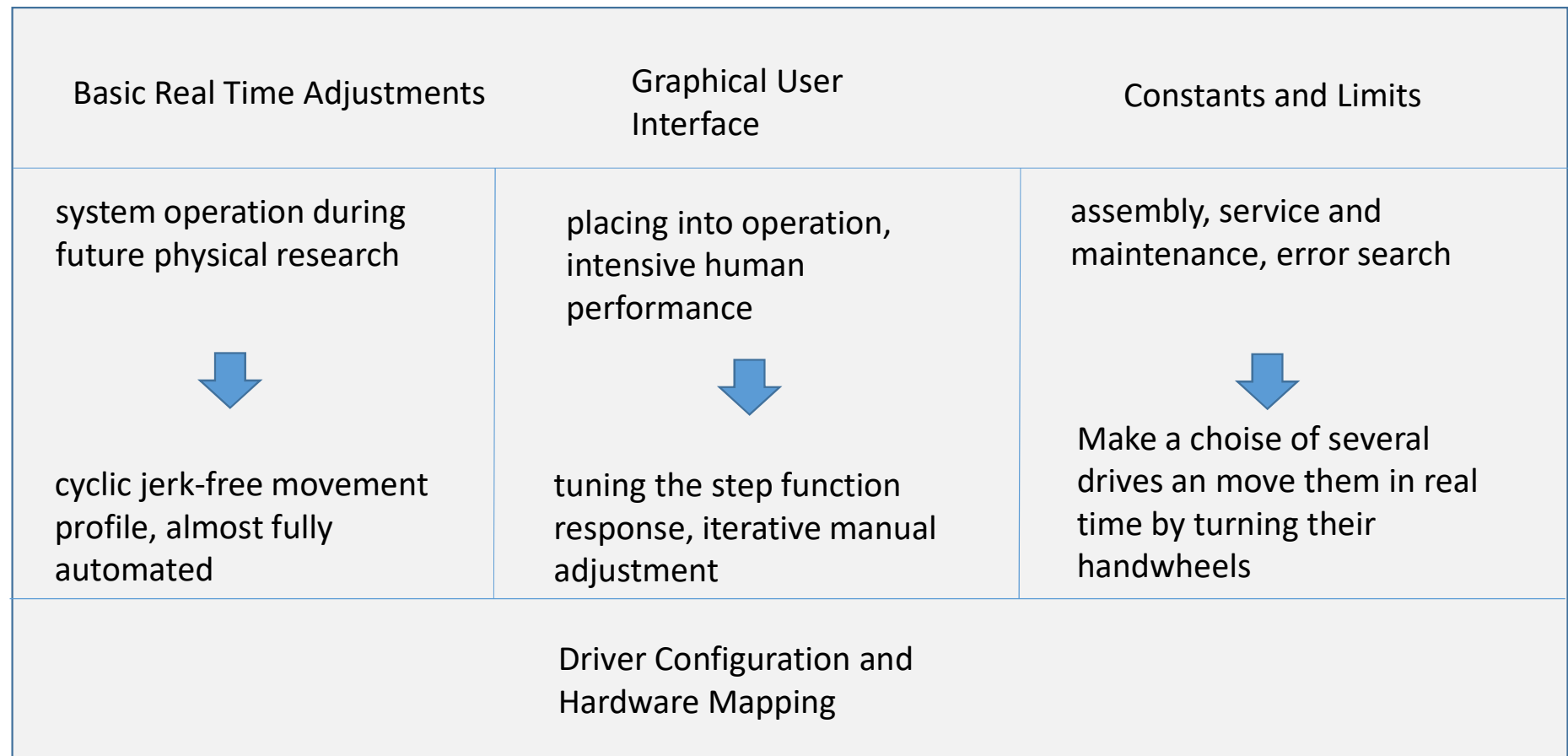
R. Hettrich, C. Peschke, R. Böhm, C. Dimopoulou

Abstract

The Pick-Up electrodes of the CR Stochastic cooling can be positioned very precisely and fast. In normal operating state a function without jerk provides the set values for an underlying position control loop. Merging the electrodes however with the drive parts within a narrow tank is expected to be very challenging. For installation and service it might need a manual control facility, which allows to steer the mobile drive rods slowly to the connecting electrodes. Hence eight hand wheels, one at each drive, are to be expected a manual positioning of each. A star-shaped network from several wheel-controllers to a central computer was implemented. A smooth and data saving transmission is intended to be achieved by the application of approved techniques from real time data processing. The equipment of analog drive systems with digital regulation and control systems allows to change the proportion between drive distance and angle of rotation of a hand wheel only by means of software.

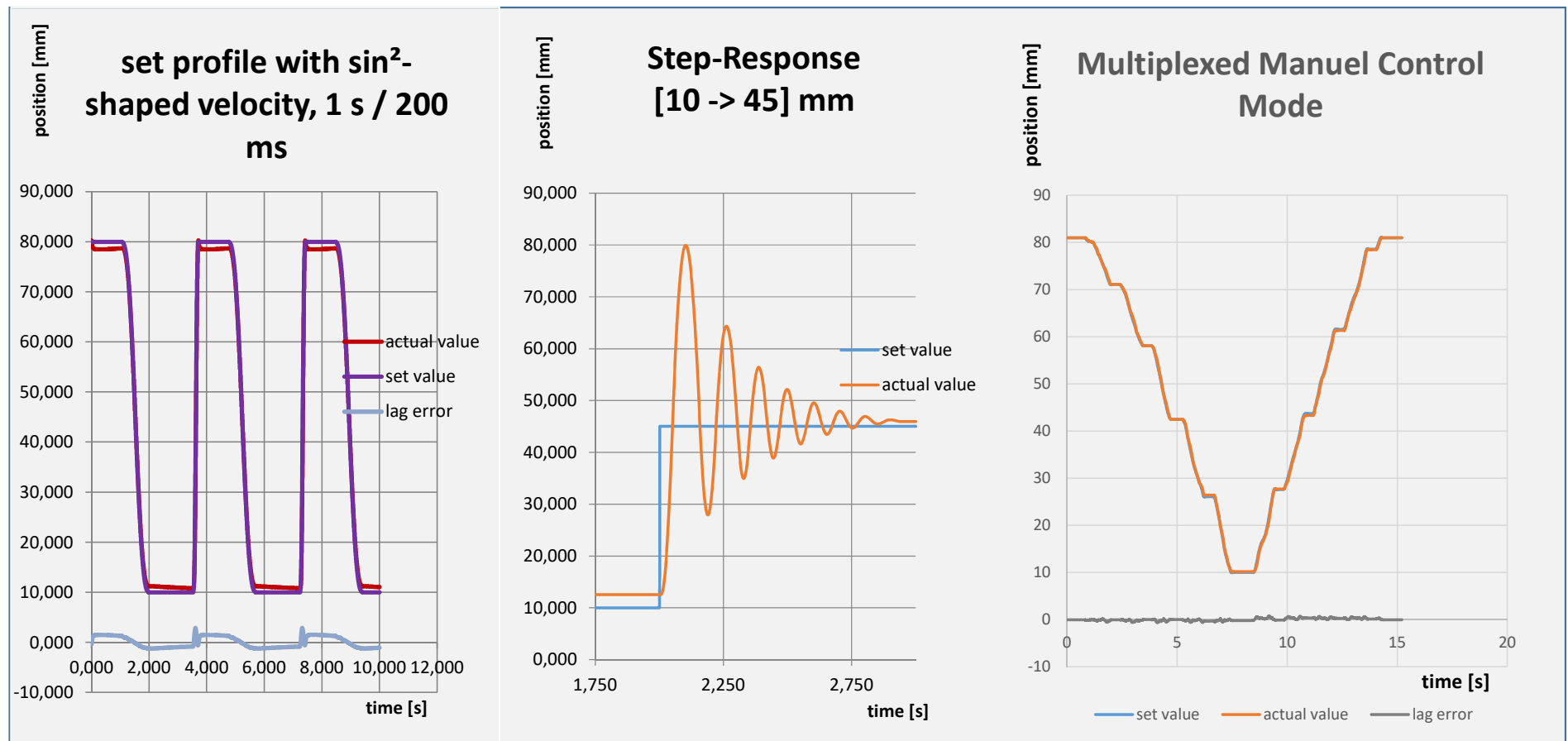
Concept of Operations for the CR Plunging Pickup Electrodes

endless Loop Framework with GUI



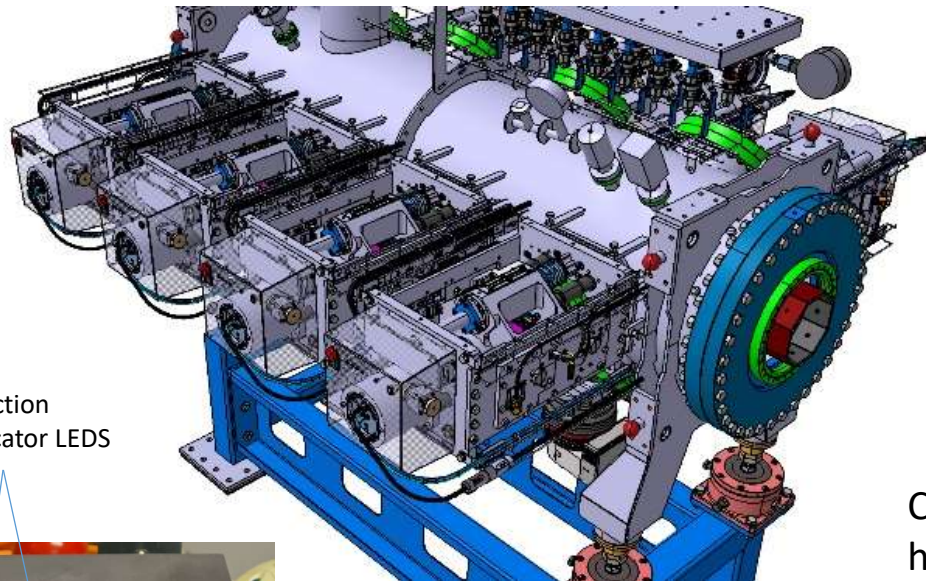
The Illustration Of Operation Modes

- Typical time responses illustrate the expected situations



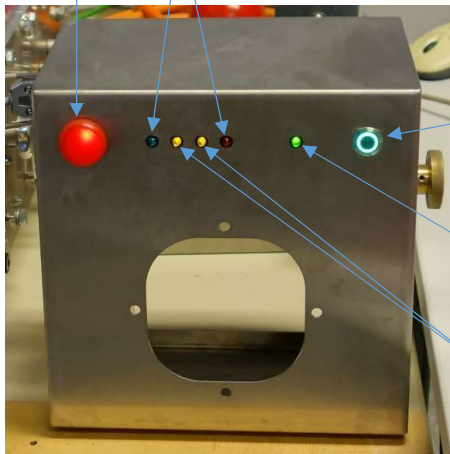
The Mechanical Design Overview

The CR Pick-Up Tank with open Drive Enclosures



blinking
caution light

direction
indicator LEDs

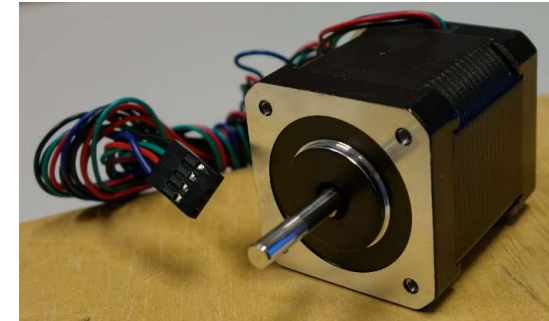


release button

steering wheel

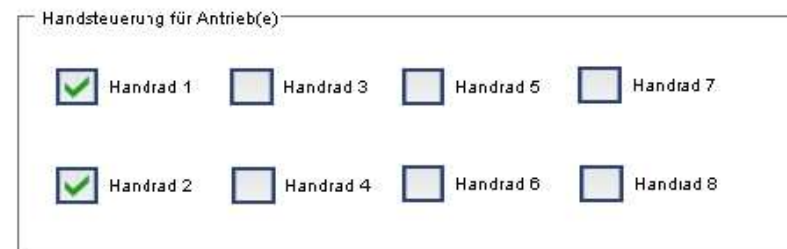
power LED

transmission
control LEDs
for each
direction



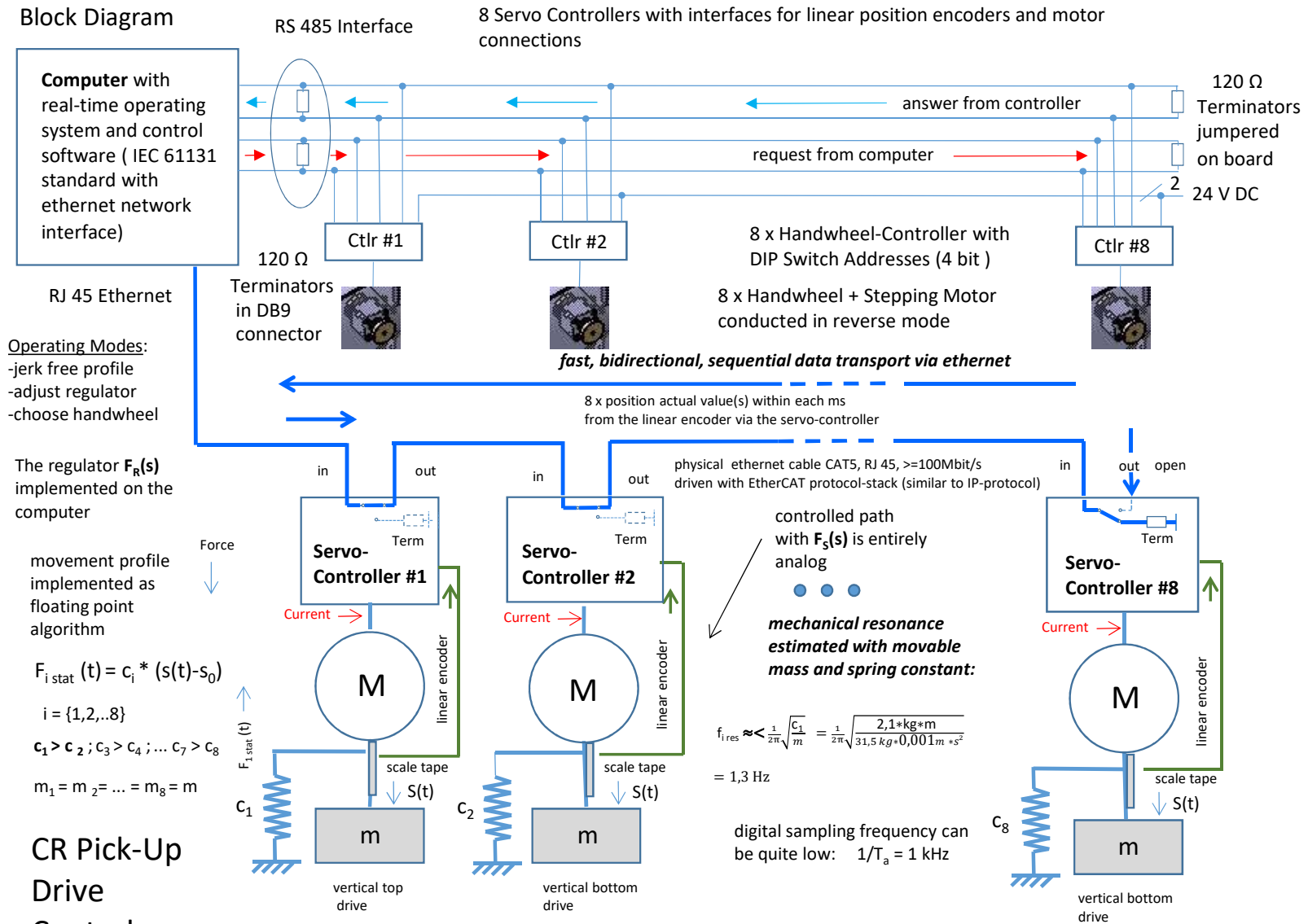
a stepping motor, misused as rotary
encoder serves as convenient
interface

Click up to two drives of your choice and easily slide the heavy payloads just with the force out of your fingers!



Snapshot of the Graphical User Interface

Block Diagram

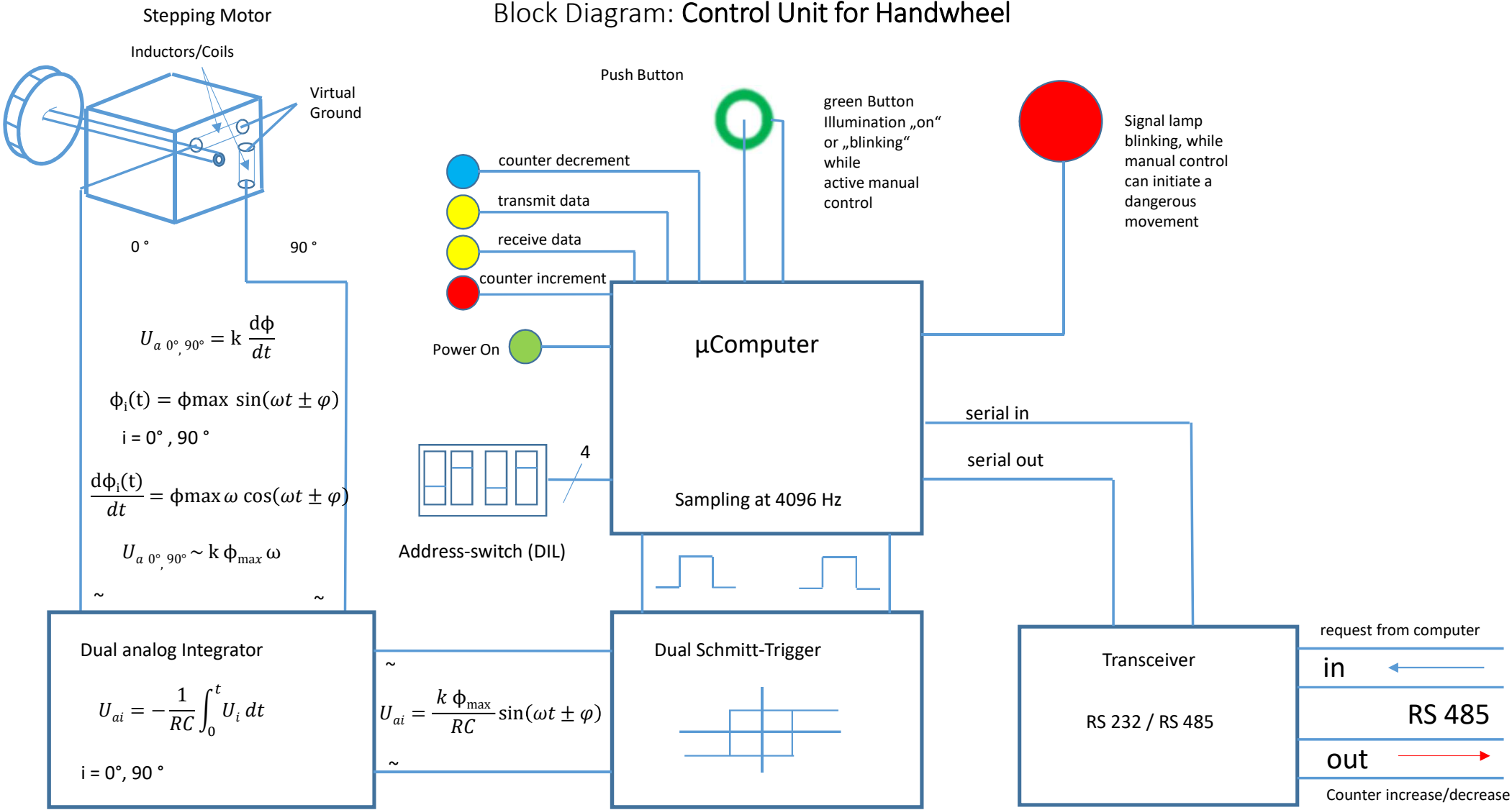


CR Pick-Up Drive Control Overview

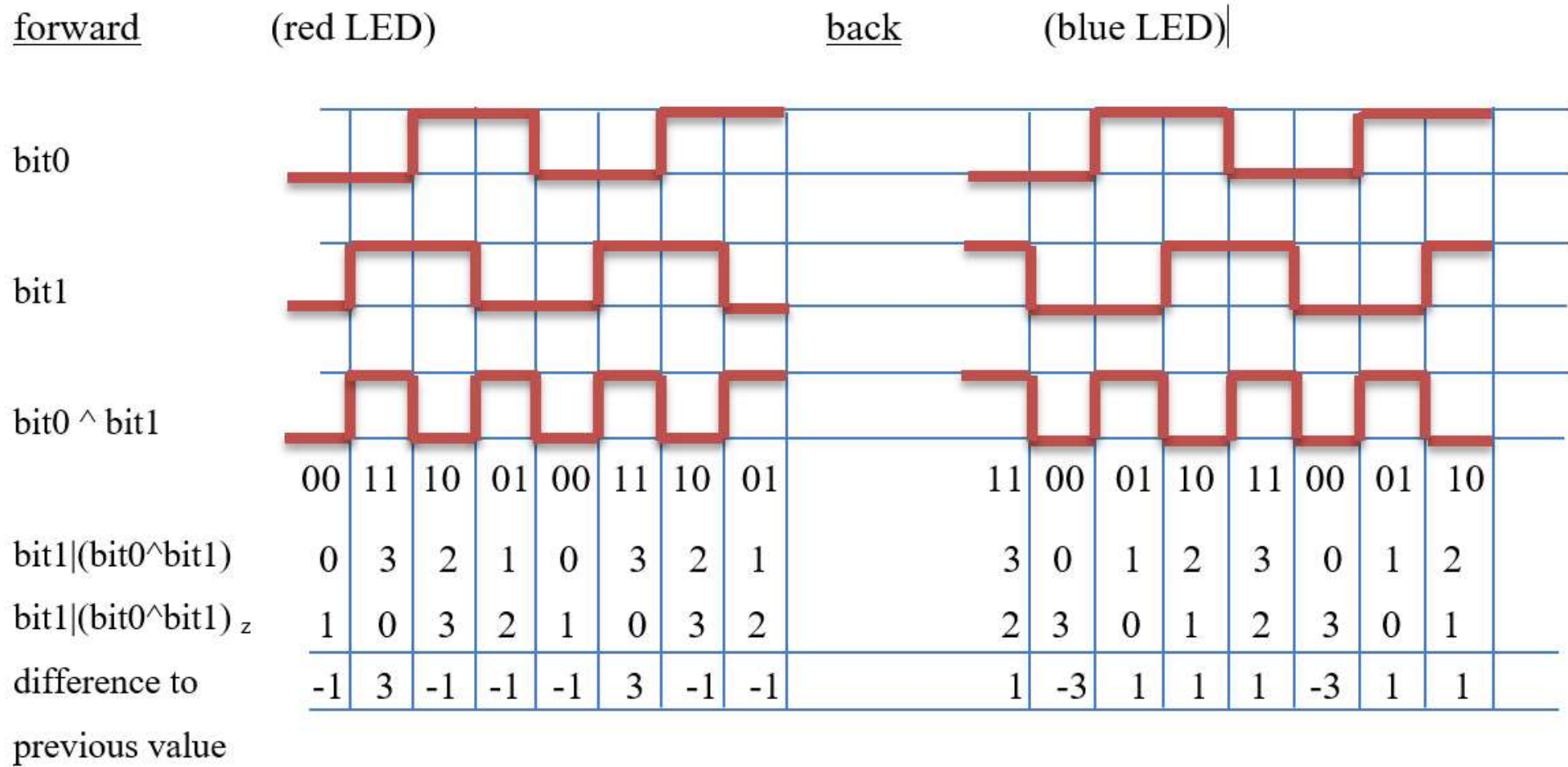
The total system behaves almost like an entirely mechanical system

But adjustments or adaptations in retrospect are possible without changing the mechanics

Block Diagram: Control Unit for Handwheel



Evaluation of the Stepping Motor Pulses to reveal the Sense of Rotation



Hence the evaluation algorithm arises from the last line of the above-mentioned table:

$$\text{difference} = (\text{bit1}(1) \mid (\text{bit0}(1) \wedge \text{bit1}(1))) - (\text{bit1}(0) \mid (\text{bit0}(0) \wedge \text{bit1}(0)))^*$$

*: The first bit1 in the expression (bit1 OR (bit0 XOR bit1)) uses the digital value, left shifted by one, the second uses the pure value of the digit.

increment/decrement : = { +1 for difference = -1 ,
 +1 for difference = +3 ,
 -1 for difference = +1 ,
 -1 for difference = -3 ,
 0 for difference = 0 ,
 0 for difference = 2 ,
 0 for difference = -2 }

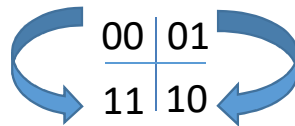
Hardware sampling frequency for the wheel signals equates to 4096 Hz, $T_{\text{sample}} = 0,2441$ milliseconds

'^' corresponds to XOR, this means the logical 'exclusive OR' operation.

'|' corresponds to OR operation.

forward:

difference < 0
decrement counter



backward:

difference > 0
increment counter

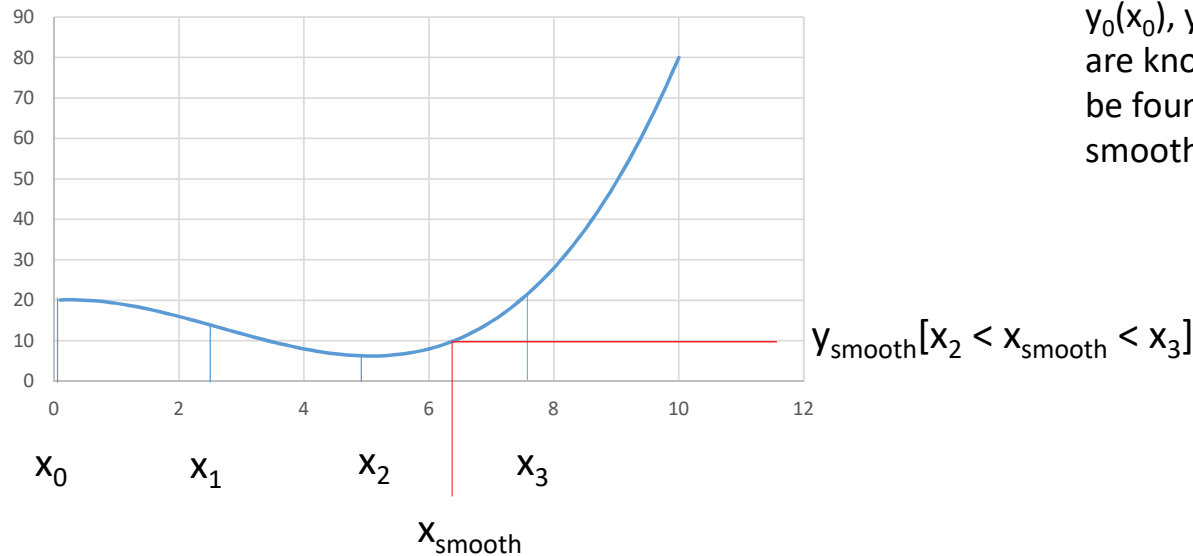
New increments are read out every 0.25 milliseconds. This corresponds to a differential fetch rate of 4 kHz. This is preset within the real time based software on the controlling computer.

After transmission of increments to a central computer, the programmed calculator sums up them to a central Position:

counter: = counter + increment or counter: = counter – decrement or
 counter: = counter + difference

Suppressing the Step Function of the Digital Sampling Process by Cubic Spline Interpolation

Polynomial: $y(x)=20 + x - 2 x^2 + 0,25 x^3$ for example



If four pairs of $y_0(x_0), y_1(x_1), y_2(x_2), y_3(x_3)$ are known, a three-order polynomial can be found, which connects all points in a smooth, jerk-free way.

Provided that the four consecutive sampling points are not sampled fast enough to avoid a stair-shaped function with a scraping noise, the past first points $y_0(x_0), y_1(x_1), y_2(x_2)$ and the endpoint $y_3(x_3)$ can be used to calculate a function, which delivers a continuous sequence between $[x_2, x_3]$. This sequence fits seamlessly to the previous ones and avoids an ugly sound. This method can be applied in real time by exploiting the four past sampling points to calculate the coefficients of a three order polynomial just before the next sequence starts. But the limitation is a latency time (x_3-x_2) until the drive follows.

$$s_i(x) = a_i + b_i (x-x_i) + c_i (x-x_i)^2 + d_i (x-x_i)^3$$

$$s_i(x_2) = s_{i-1}(x_3) \quad \text{points fit}$$

$$s_i'(x_2) = s_{i-1}'(x_3) \quad \text{slopes fit}$$

$$s_i''(x_2) = s_{i-1}''(x_3) \quad \text{bendings fit}$$

$$s_i'(x_0) = b_0 = \alpha \quad \text{incoming slope given}$$

$$s_i''(x_3) = c_3 = 0 \quad \text{no output bending}$$

Desired: $s_2(x) = a_2 + b_2 (x-x_2) + c_2 (x-x_2)^2 + d_2 (x-x_2)^3$ with $c_1, c_2, c_0, d_2, d_1, d_0, b_2, b_1, \alpha, b_0$ where $a_2 = y_2(x_2) = \text{known}$

The Algorithm As Final Result

Memorize 4 consecutive values of [position, timestamp]: $[y_0, x_0], [y_1, x_1], [y_2, x_2], [y_3, x_3]$

calculate the 3 distances between the 4 points : $h_0 = x_1 - x_0, h_1 = x_2 - x_1, h_2 = x_3 - x_2$, let the slope be $\alpha = 0$ at start

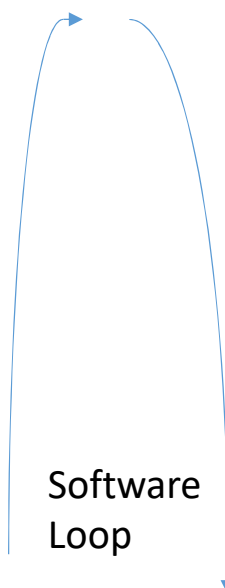
After a convenient intervall of time, a new value of the position counter with the latest increment from the handwheel is sampled: $[y_{3\text{new}}, x_{3\text{new}}]$:

➡ (entry point): set $y_0 := y_1, y_1 := y_2, y_2 := y_3, y_3 := y_{3\text{new}}$
 set $h_0 := h_1, h_1 := h_2, h_2 := x_{3\text{new}} - x_3$ (ignore if equally spaced), calculate :

$$c_1 = \frac{3 \left[(-3) \frac{(a_1 - a_0)}{h_0} (h_1 + h_2) + 2 \frac{(a_2 - a_1)}{h_1} \left(\frac{3}{2} h_1 + h_2 \right) - \frac{(a_3 - a_2)}{h_2} h_1 + \alpha (h_1 + h_2) \right]}{2 \left(2 h_1 + \frac{3}{2} h_0 \right) (h_1 + h_2) - h_1^2}$$

$$c_2 = \frac{3 \left[\frac{3}{2} \frac{(a_1 - a_0)}{h_0} h_1 - 3 \frac{(a_2 - a_1)}{h_1} \left(h_1 + \frac{1}{2} h_0 \right) + \frac{(a_3 - a_2)}{h_2} \left(2 h_1 + \frac{3}{2} h_0 \right) - \frac{1}{2} \alpha h_1 \right]}{2 \left(2 h_1 + \frac{3}{2} h_0 \right) (h_1 + h_2) - h_1^2}$$

Software Loop



The further coefficients ...

$$c_0 = -\frac{1}{2} c_1 + \frac{1}{2 h_0} \left[3 \frac{(a_1 - a_0)}{h_0} - 3\alpha \right] \quad c_3 = 0;$$

$$d_2 = -\frac{c_2}{3 h_2} \quad d_1 = -\frac{c_2 - c_1}{3 h_1} \quad d_0 = -\frac{c_1 - c_0}{3 h_0}$$

$$b_2 = \frac{(a_3 - a_2)}{h_2} - \frac{2}{3} h_2 c_2$$

$$b_1 = \frac{(a_2 - a_1)}{h_1} - \frac{h_1}{3} (c_2 + 2 c_1) \quad \Rightarrow \quad \alpha = b_1 \quad \text{incoming slope for the following polynomial}$$

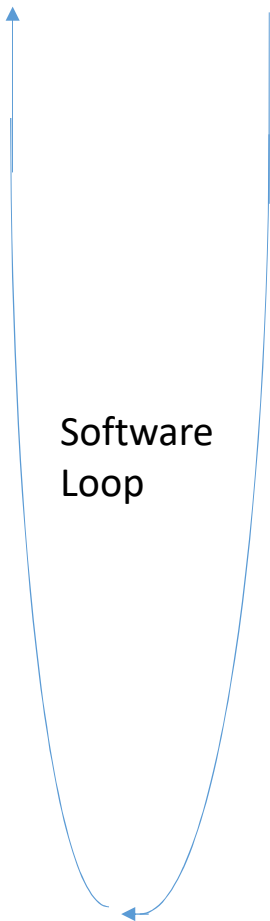
$$b_0 = \frac{(a_1 - a_0)}{h_0} - \frac{h_0}{3} (c_1 + 2 c_0)$$

$a_2 = y_2$ is already known

calculate $y(x) = s_2(x) = a_2 + b_2 (x - x_2) + c_2 (x - x_2)^2 + d_2 (x - x_2)^3$ in $[x_2 < x < x_3]$ and apply to drive(s)
The sliding carriage will follow without jerk or unpleasant sound.

return to the „entry point“ and repeat the loop as long as needed ..

Software
Loop



Reference

R. Hettrich, Latest news from stochastic cooling developments for the collector ring at FAIR. <https://doi.org/10.18429/JACoW-COOL2017-TUP16>

